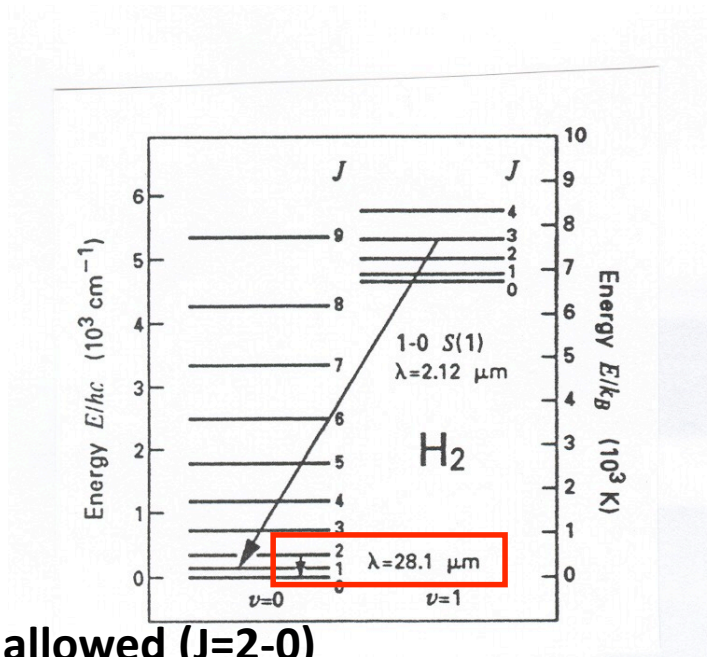
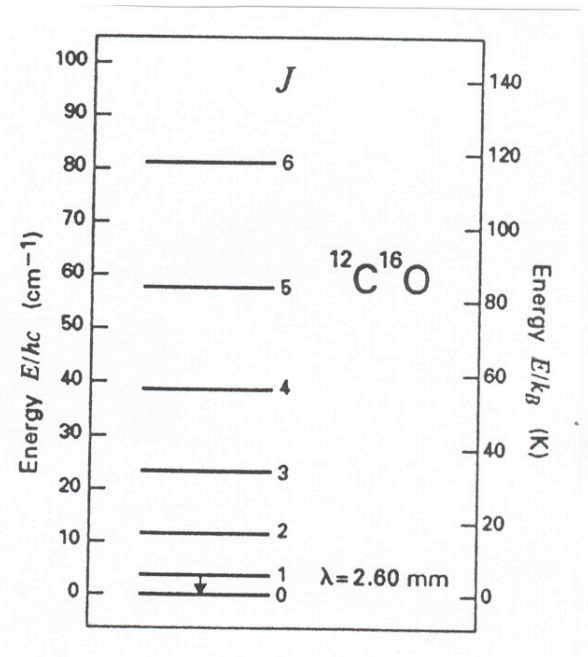


# Observing molecular clouds at large



Lowest allowed ( $J=2-0$ )

$\Delta E = 510 \text{ K}$



$H_2$  smallest diatomic molecule: widely-spaced energy levels

Even lowest excited rot. levels too far above ground state to be easily populated at normal molecular cloud T.

no dipole moment, hence quadrupole radiation (slow)

CO: more closely-spaced energy levels; easily populated also at low T

# Deriving $N(\text{H}_2)$ , total mass

## 1. Lines (Planck & Boltzmann)

Detection eqn., LTE,  $\tau(^{12}\text{CO}) \gg 1$  ( $\Rightarrow T_{\text{ex}}$ ),  $\tau(^{13}\text{CO}) \ll 1$

$$N(^{13}\text{CO}) = f(\tau_{13}, T_{\text{ex}}, \Delta v_{13}) + [\text{H}_2]/[^{13}\text{CO}] = \dots \Rightarrow N(\text{H}_2)_{\text{LTE}}$$

$^{12}\text{C}/\text{H}$ ,  $^{12}\text{C}/^{13}\text{C}$  gradients  $\Rightarrow [\text{H}_2]/[^{13}\text{CO}] = f(R)$

Non-LTE transitions: LVG model (full radiation transport eqns.)

## 2. Lines (empirical)

$$N(\text{H}_2)/\int T(^{12}\text{CO}) dv \equiv X \Rightarrow N(\text{H}_2)_{\text{WCO}}$$

$X = \text{constant or } f(R)?$

## 3. Virial theorem

Cloud radius ( $r$ ), linewidth ( $\Delta v$ ), assumptions about density distribution. For spherical cloud,  $n \propto r^{-2} \Rightarrow M_{\text{vir}} = 126 r \Delta v^2$

Exclude non-bound motions (e.g. outflows); actual density distribution?

## 4. Dust continuum

$$M = (g S_{\nu} d^2) / \kappa_{\nu} B(T_{\text{dust}})$$

$\kappa_{\nu}$ , T-structure, gas-to-dust ratio ( $g$ ) uncertain

## 5. Extinction mapping $N(\text{HI}) + 2N(\text{H}_2) \approx 1.9 \times 10^{21} \text{ cm}^{-2} A_{\text{V}}$ , $I_{\text{CO}}$ or $N(^{13}\text{CO})$

$$N(\text{H}_2) = X_{\text{CO}} W_{\text{CO}}$$

$$\text{with } W_{\text{CO}} = \int T(^{12}\text{CO}) dv$$

$$M_{\text{mol}} = \alpha_{\text{CO}} L_{\text{CO}} \quad \text{with } L_{\text{CO}} \text{ in } \text{K km s}^{-1} \text{ pc}^2 ;$$

$$\text{for } X=2 \cdot 10^{20} : M = 4.3 L_{\text{CO}} M_{\odot} \quad (\text{Bolatto+ 2013})$$

The value of  $X_{\text{CO}}$  is determined by calibrating empirical  $N$  or  $M$  with other methods.

Original derivation of  $X_{\text{CO}}$  was by using diffuse  $\gamma$ -ray emission (Lebrun+ 1983)

Based on fact that diffuse  $\gamma$ -ray emission is mostly due to collisions between cosmic rays and the ISM:  $I_{\gamma} = \epsilon_{\gamma} [N(\text{HI}) + 2X_{\text{CO}} W_{\text{CO}}]$  (Bloemen 1989)  
compare maps of diffuse  $\gamma$ -emission, HI and CO to find  $X_{\text{CO}}$ .

In Milky Way  $X_{\text{CO}} = 2 \times 10^{20} (\text{K kms}^{-1})^{-1} \text{ cm}^{-2}$  with 30% uncertainty (Bolatto+ 2013 ARAA)

## Values for other types of galaxies

- \* Normal galaxies:  $X_{\text{CO}} \approx 2 \times 10^{20}$  with factor 2 uncertainty

Increases sharply in systems with metallicity ca. 0.5 solar

Often smaller in central regions, as in MW

- \* Starbursts and other luminous galaxies:  $X_{\text{CO}} \approx 0.4 \times 10^{20}$  with factor 3 uncertainty

**Antennae-values:** see Zhu, Seaquist & Kuno 2003 ApJ 588, 243

$$M_{\text{tot}} \sim 2 \times 10^9 M_{\odot}$$

See also Herrera+ 2012 A&A 538, L9 for ALMA data (3-2 instead of 1-0!)

- \* At high redshifts:

In massive merger-driven starbursts such as SMGs, most consistent with low  $X_{\text{CO}}$   
(cf. local ULIRGs)

In blue-sequence galaxy disks, likely higher  $X_{\text{CO}}$  (cf. local disks)