

# Molecular gas under the influence of nearby massive stars: the case of G353.2+0.9

Andrea Giannetti

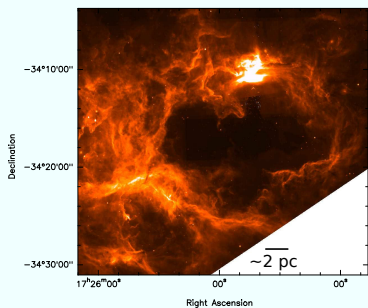
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2 apr 2012

# NGC6357

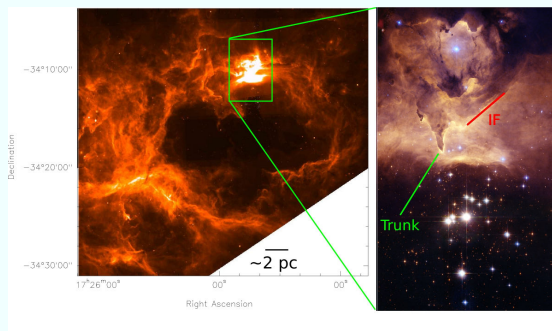
NGC6357 (2.5 kpc) - 8  $\mu\text{m}$



- Presence of a large cavity (or a number of smaller ones)

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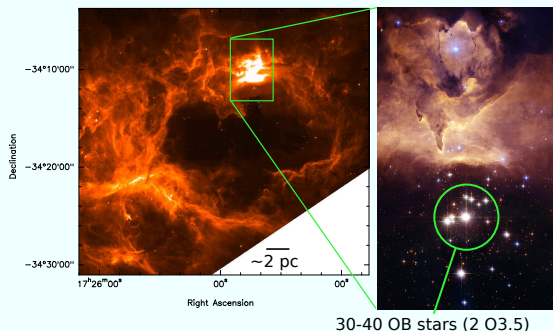


NOTE — Taken from [hubblesite.org](http://hubblesite.org)

- Presence of a large cavity (or a number of smaller ones)
- G353.2+0.9 coincides with the brightest emission

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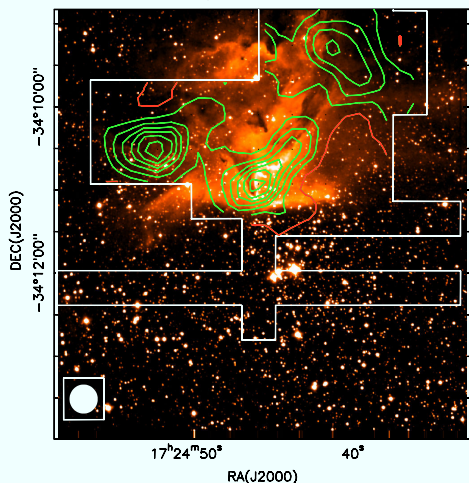
- Presence of a large cavity (or a number of smaller ones)
- G353.2+0.9 coincides with the brightest emission
- Pismis 24 is found south of this region

# Why G353.2+0.9?

- Perfect region to study the interaction between molecular gas and massive stars
  - Main IF seen edge-on
  - Optimal for studying fragmentation and chemical stratification
- Connection between G353.2+0.9 and Pismis 24: Just ionization or also triggered SF?

# G353.2+0.9: SEST

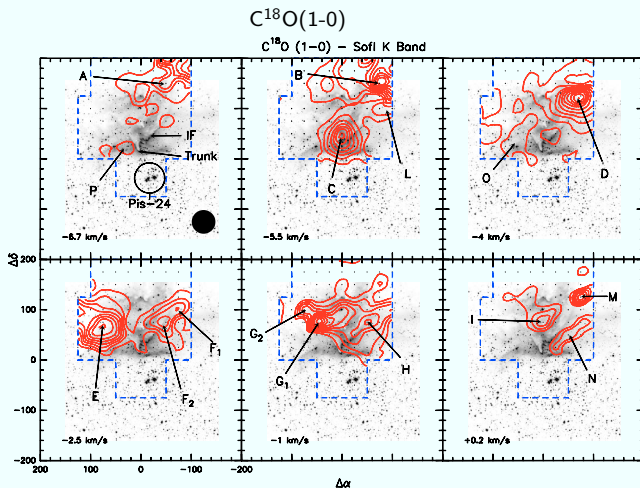
Soft  $K_s$  band + CS(5-4)



White line: Observed region

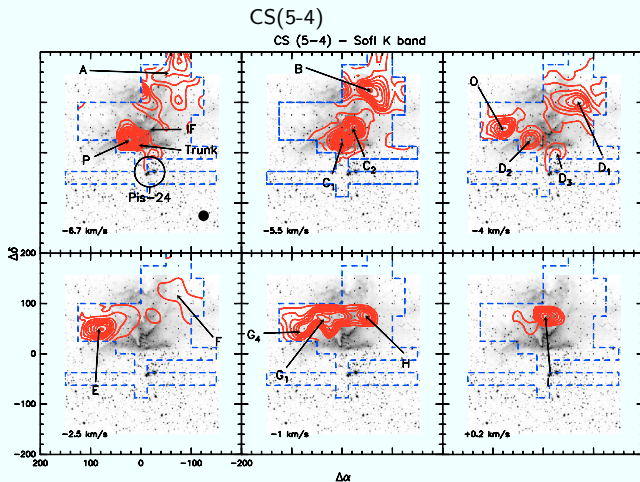
- Observed transitions:  $C^{18}O(1-0)$ ,  $C^{18}O(2-1)$ ,  $CN(1-0)$ ,  $CN(2-1)$ ,  $CS(2-1)$ ,  $C^{34}S(2-1)$ ,  $CS(3-2)$ ,  $CS(5-4)$ ,  $H_2CO(2_{1,2}-1_{1,1})$ ,  $SiO(5-4)$ ,  $CH_3CCH(6-5)$
- Molecular gas found in the North
- Aligned along the IF
- Associated with the elephant trunk

# Individual Clumps



Dashed blue line: Observed region

# Individual Clumps

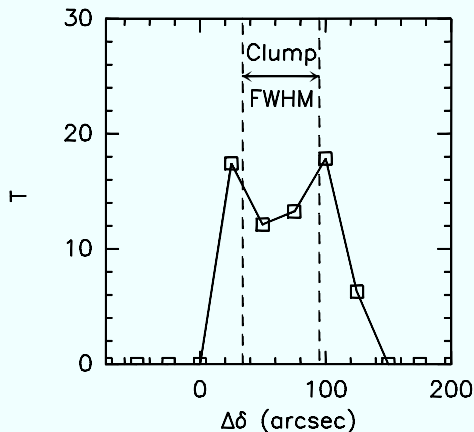


Dashed blue line: Observed region



# Excitation Temperatures

Strip at  $\Delta\alpha=75''$  ( $-2.5$  km/s)

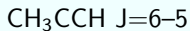


$$\frac{T_{\text{MB},\text{C}^{18}\text{O}(2-1)}}{T_{\text{MB},\text{C}^{18}\text{O}(1-0)}} = 4e^{-10.50/T_{\text{ex}}}$$

$$N = f(T_{\text{ex}}) \frac{\tau}{1 - e^{-\tau}} \int T_{\text{MB}} dv$$

- Typical range of temperatures:  
 $\sim 15 - 20$  K
- Small rise in temperature coinciding with the ionization front
- $\text{C}^{18}\text{O}$  shows a relative minimum coinciding with the center of some clumps: **Internal layers are cooler**

# Excitation Temperatures



139100; 7 NGC6357PSW CH3CCH(2)-5 SEST115HRS-B 0:05-SEP-1999 R:24-NOV-2009

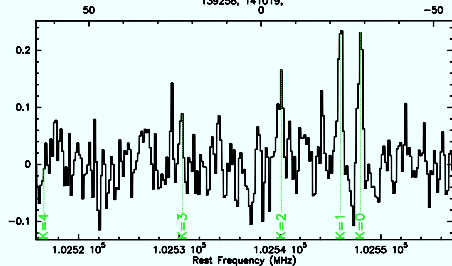
RA: 17:21:27.00 DEC: -34:08:40.0 Eq 1950.0 Offs: +0.0 +50.0

Unknown tau: -0.059 Tsys: 406. Time: 30. min El: 69.2

N: 249 ID: 102.904 V0: -5.900 Dv: 0.4878 LSR

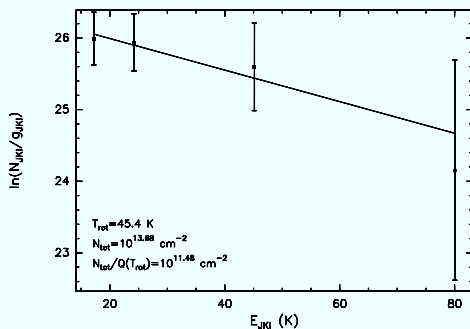
F0: 102540.144 Df: -0.1669 Fl: 105531.688

139100, 139108, 139116, 139124, 139132, 139134, 139142, 139150, 139158, 139166,  
139184, 139192, 139200, 139208, 139216, 139218, 139226, 139234, 139242, 139250,  
139256, 141019,



- Efficient kinetic temperature tracer

# Excitation Temperatures



- Efficient kinetic temperature tracer
- High-density layers can be hotter
- Internal heating sources

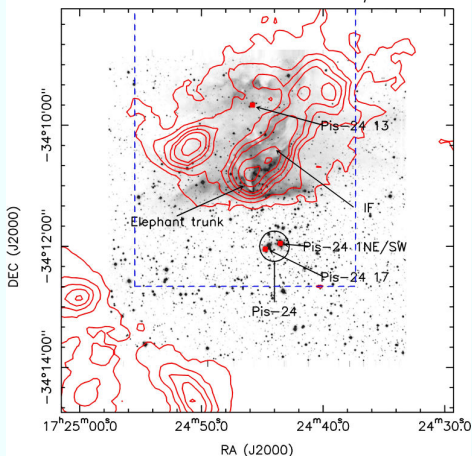
Boltzmann plot:

slope  $\propto T^{-1}$

intercept  $\propto \log(N)$

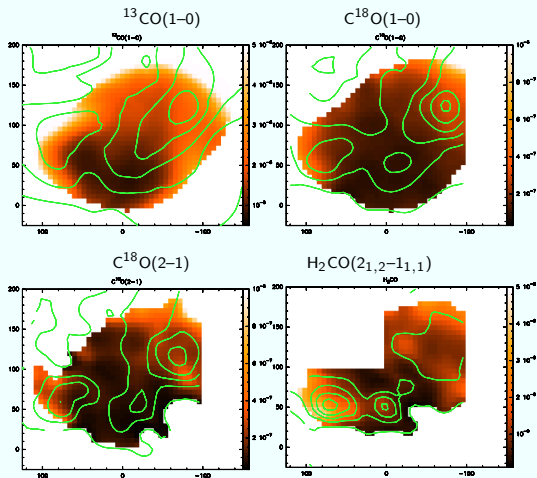
# H<sub>2</sub> Column Densities

SofI Ks + APEX 870  $\mu\text{m}$



- Independent way to derive the mass and column density of the dust, and thus those of the gas, assuming a value for the gas-to-dust ratio
- Other assumptions:
  - Grey body emission
  - Temperature
- Morphology of emission similar to integrated molecular emission, and following IR obscuration features

# Abundances



Colours scale: molecular abundance; Contours: Column density

- Determined dividing  $N_{mol}$  maps by  $N_{\text{H}_2}$  (smoothed!) maps from APEX image
- Abundances have similar patterns for all molecules considered
- Increase with distance from the ionizing stars
- $[\text{C}^{18}\text{O}/\text{H}_2]$ :  $1.0 - 2.2 \times 10^{-6}$
- $[\text{C}^{18}\text{O}/\text{H}_2]$ :  $0.9 - 2.3 \times 10^{-7}$
- $[\text{H}_2\text{CO}/\text{H}_2]$ :  $0.6 - 1.5 \times 10^{-9}$

# Non-LTE Analysis: The Bayesian Approach

- Large grid of RADEX models with different parameters ( $T_k$ ,  $N_{mol}$ ,  $n_{H_2}$ )

## Probability:

$$P(T_k, N_{mol}, n_{H_2} | \text{data}) = \phi P(\text{data} | T_k, N_{mol}, n_{H_2}) P(T_k, N_{mol}, n_{H_2})$$

- Assumptions:
  - Source size fixed as determined from CS(5-4)
  - Gaussian uncertainties for measured line temperatures, fluxes,  $\tau$
  - Constant priors for CS (i.e. all the values for the parameters are equally probable)
  - Gaussian prior for  $T_k$  ( $\mu = 35$  K,  $\sigma = 30$  K) for CN

# Non-LTE Analysis: Results

## CS results

Offset (")	Cl.	$T_K$ (K)	$1\sigma$ (K)	$n_{H_2}$ ( $10^4 \times \text{cm}^{-3}$ )	$1\sigma$ ( $10^4 \times \text{cm}^{-3}$ )	$N_{CS}$ ( $10^{13} \times \text{cm}^{-2}$ )	$1\sigma$ ( $10^{13} \times \text{cm}^{-2}$ )	$[CS/H_2]$ ( $10^{-9}$ )	$\tau_{21}$	$\tau_{32}$	$\tau_{34}$	$\tau_{C^{34}S,21}$	$T_{\text{ex},21}$ (K)	$T_{\text{ex},32}$ (K)	$T_{\text{ex},54}$ (K)	$T_{\text{ex},C^{34}S,21}$ (K)
(-100,200)	A	33	10 – 64	17	4.8 – 36	4.2	3.9 – 4.9	26	0.7	1.5	0.5	0.05	14	10	7	12
(-50,150)	B	25	11 – 35	18	8.3 – 30	7.4	6.1 – 7.7	5.2	1.4	2.5	1.2	0.09	13	10	6	11
(0,0)	C	40	10 – 72	5.3	1.9 – 8.3	4.3	3.1 – 6.1	9.5	1.2	1.4	0.1	0.08	8	6	6	6
(0,50)	C	18	11 – 20	25	14 – 52	21	14 – 52	2.7	2.4	4.1	2.2	0.17	13	11	6	10
(-50,100)	D	26	10 – 40	22	5.8 – 63	16	15 – 19	3.4	1.6	3.1	2.0	0.12	16	12	7	13
(100,50)	E	11	10 – 15	260	130 – 480	18	15 – 19	40	3.8	5.1	2.7	0.20	11	11	9	11
(-100,100)	F	29	10 – 40	14	5.8 – 25	2.1	1.6 – 2.5	0.7	0.5	0.8	0.1	0.03	11	7	6	10

## CN results

Offset (")	Cl.	$T_K$ (K)	$1\sigma$ (K)	$n_{H_2}$ ( $10^5 \times \text{cm}^{-3}$ )	$1\sigma$ ( $10^5 \times \text{cm}^{-3}$ )	$N_{CN}$ ( $10^{14} \times \text{cm}^{-2}$ )	$1\sigma$ ( $10^{14} \times \text{cm}^{-2}$ )	$\tau_{10}$	$\tau_{21}$	$T_{\text{ex},10}$ (K)	$T_{\text{ex},21}$ (K)
(-50,150)	A	35	21 – 57	2.8	1.2 – 7.6	2.6	2.2 – 3.4	1.2	4.0	17	10
(-75,150)	B	25	11 – 35	2.3	0.8 – 7.6	0.7	0.6 – 0.9	0.9	1.6	9	6
(0,50)	C	33	26 – 40	18	11 – 28	2.3	1.9 – 3.0	0.2	1.6	67	18
(-50,100)	D	45	30 – 68	3.3	1.7 – 6.3	2.2	1.6 – 3.0	0.7	3.2	26	11
(75,50)	E	34	28 – 42	37	23 – 69	1.8	1.4 – 2.2	0.2	1.1	62	25
(50,75)	G	41	28 – 58	6.8	3.0 – 16	1.9	1.4 – 2.5	0.2	2.2	62	14
(-50,100)	H	33	21 – 57	2.5	1.0 – 6.3	1.7	1.4 – 2.2	1.2	3.5	15	8

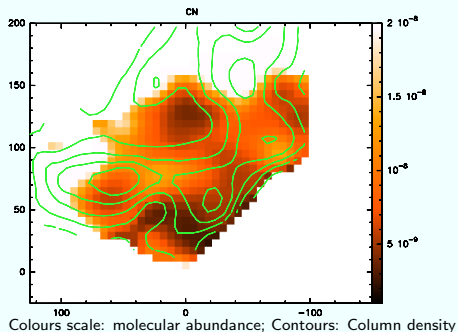
- $T_k$  derived from CN is on average slightly higher than that derived from CS
- $n_{H_2}$  derived from CN is higher than that derived from CS, and increases toward Pismis 24

### Conclusion:

CN is indeed a good PDR tracer

LTE values completely different! Non-LTE analysis is fundamental to infer the physical properties of the gas from some molecules; the Bayesian approach is powerful for this

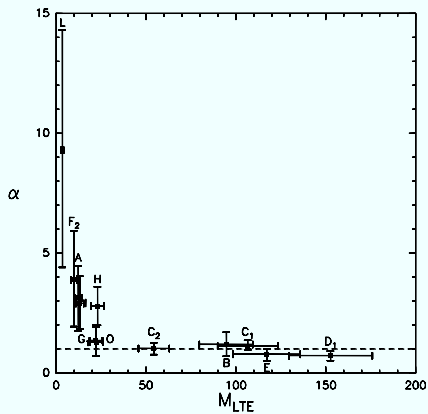
# CN Abundance



- Similar pattern for the abundance as the other molecules
- $[\text{CN}/\text{H}_2]: 5.0 - 7.9 \times 10^{-9}$
- Smaller variation w.r.t. the other molecules: corroborates the idea that most of its emission comes from the **PDR**



# A (simple) Stability Analysis



- $\alpha \equiv M_{vir}/M_{LTE}$
- No magnetic or rotational support
- For  $M \gtrsim 50 M_{\odot}$ ,  $\alpha \sim 1$

# Selective Photodissociation

Radiation field  $G_0$ :

$$G_0 = \frac{1}{1.6 \times 10^{-3} \text{erg cm}^{-2} \text{s}^{-1}} \frac{L}{4\pi D^2}$$

Considering the luminosity of the three most luminous stars (2 O3.5, 1 O4):

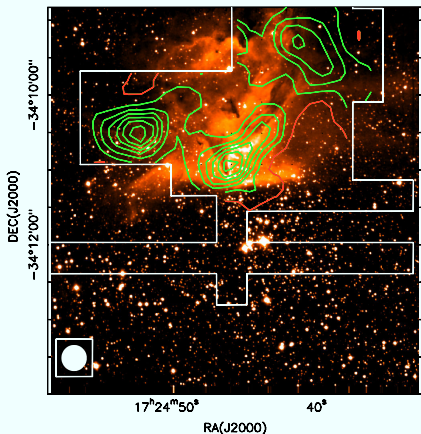
- $G_0 \sim 5.6 \times 10^4$  at the location of the elephant trunk
- $G_0 \sim 2.0 \times 10^4$  at the location of the IF
- Relative  $^{13}\text{CO}/\text{C}^{18}\text{O}$  abundance in agreement with the PDR models for the regions near the IF
- The measured  $^{13}\text{CO}/\text{C}^{18}\text{O}$  can be explained in terms of selective photodissociation

# Summary

- Gas temperature between  $\sim 10 - 50$  K
- The gas appears already fragmented at these low angular resolution
- Obtained abundance maps: molecular abundances decrease toward the IF
- $n_{H_2}$  between  $\sim 10^3 \text{ cm}^{-3}$  ( $C^{18}O$ ) and  $\sim 10^{5-6} \text{ cm}^{-3}$  (CS and CN) increasing toward the IF
- CN is indeed an efficient PDR tracer
- Non-LTE analysis is fundamental to infer the physical properties of the gas
- The Bayesian approach is extremely powerful for this
- Clumps with masses  $M \gtrsim 50M_{\odot}$  appear to be gravitationally bound
- Selective photodissociation decrease the  $C^{18}O$  abundance w.r.t. that of  $^{13}CO$ , near the IF

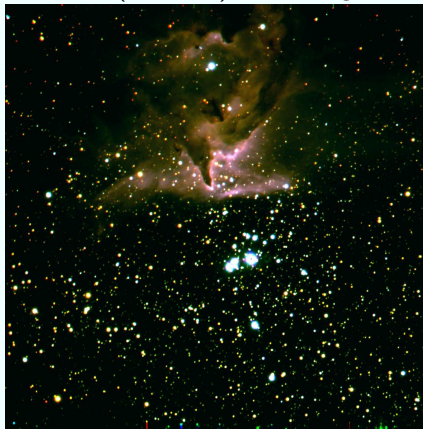
# EVLA NH<sub>3</sub>(1,1) and (2,2) Observations

SofI K<sub>s</sub> band + CS(5-4)



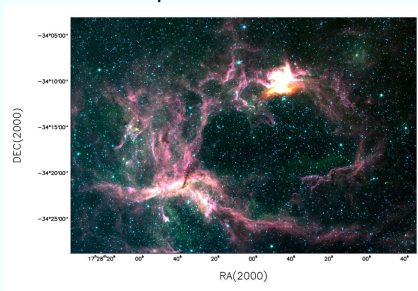
- Efficient tracer of dense gas
- High sensitivity and angular resolution ( $\theta \sim 1''$ , CnB)
- Study of the fragmentation along and across the PDR
- Investigate the small-scale, ordered motions of and in the clumps
- Evaluate the impact of embedded, newly formed stars

## NIR (J, H, K<sub>s</sub>) RGB image



- Submitted proposal for ALMA cycle 0
- Multiple transitions from several molecules (H<sub>2</sub>CO, CCH, SiO, CO isotopologues, etc.)
- Aim: study the chemical stratification along and across the PDR

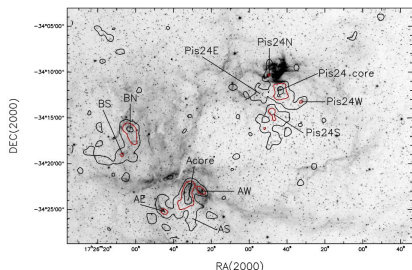
## Spitzer IRAC



Massi, Beltrán, Brand, Giannetti et al., in prep.

- Apparently 3 more clusters in the complex
- Pismis 24 has a Salpeter IMF
- YSOs identification in the whole region with IRAC color-color diagrams
- G353.2+0.9: Study of the YSOs in J, H, K, 4 IRAC bands and X

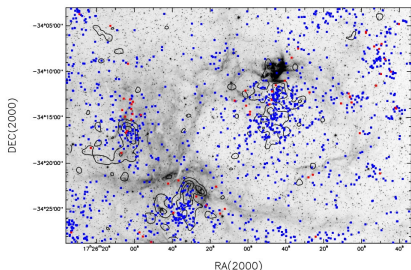
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## Probability:

$$P(T_k, N_{mol}, n_{H_2} | \text{data}) = \phi P(\text{data} | T_k, N_{mol}, n_{H_2}) P(T_k, N_{mol}, n_{H_2})$$

CS:

$$P(\text{data} | T_K, N_{mol}, n_{H_2}) = \frac{1}{\varphi} \left[ \prod_{i=1}^4 (e^{-(l_i - \mu_i)^2 / (2\sigma_{l,i}^2)}) \right] P(\tau_{C^{34}S}),$$

CN:

$$P(\text{data} | T_K, N_{mol}, n_{H_2}) = \frac{1}{\varphi} \left[ \prod_{i=1}^2 (e^{-(F_i - F_{m,i})^2 / (2\sigma_{F,i}^2)}) \right] e^{-(\tau_{\text{tot},(1-0)} - \tau_{m,(1-0)}) / (2\sigma_\tau^2)},$$