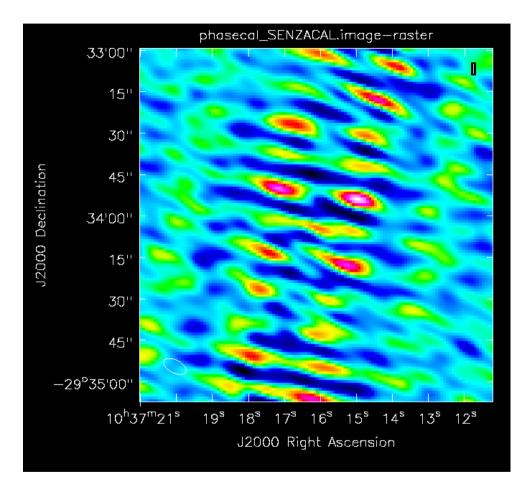


Rosita Paladino Italian Node of ALMA Regional Center

Slides & contributions from Arturo Mignano

http://www.alma.inaf.it/index.php/Courses

If no calibration is applied....



This would be the image of 1037-295 the calibrator of your dataset

deconvolving V^{ij}_{obs}

Real interferometry:

An interferometer samples the Visibility Function as **transmitted** by the **atmosphere** and the **instrumentation** (antenna, receiver, electronics, cables, correlator, etc.)

$$V_{obs}^{ij} = V_{true}^{ij} G^{i} G^{j}$$

With a number of fair assumptions, CALIBRATION is the process to determine G^i aiming at transforming the observed quantities to the proper scale.

All the quantities are **COMPLEX**, and therefore we need to find two values, **AMPLITUDE** and **PHASE**, for each antenna, polarization, sub-band, channel, possibly as a function of time

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Most of the effects are antenna-based (pointing, focus, atmosphere, receiver noise, receiver bandpass)

Real interferometry:

$$V_{obs}^{ij} = V_{true}^{ij} G^{i} G^{j}$$

The complex gain G can be generally split into two terms:

Amplitude **A** Phase **b**

and the new relationship can be written as:

$$\boldsymbol{A}_{obs}^{ij} \boldsymbol{e}^{i \theta_{obs}^{ij}} = \boldsymbol{A}_{true}^{ij} \boldsymbol{a}^{i} \boldsymbol{a}^{j} \boldsymbol{e}^{(i \theta_{true}^{ij} + \theta^{i} - \theta^{j})}$$

Calibration means to find appropriate $oldsymbol{a}$ and $oldsymbol{ heta}$ for the raw data.

Observing a source with known model V_{mod}^{ij}

 $V^{ij}_{obs} = G^i * G^j V^{ij}_{mod}$

Since number of baselines is N(N-1)/2 is larger than the number of gains, we have a over determined system of equation to solve!!! *The complex gain G_i contains many components* (along the signal path):

- F = ionospheric Faraday rotation
- T = tropospheric effects
- *P* = *parallactic angle* (*altaz-mounts*)
- E = antenna voltage pattern
- *D* = *polarisation leakage*
- J = electronic gain
- B = bandpass response
- *K* = *geometric compensation*

$$G' = K'B'J'D'E'P'T'F'$$

They are either additive (phases) or multiplicative (amplitudes). In most cases, **when performing calibration we can forget the origin of the contribution to be removed**. Some of them are specific to each type of

observation (VLBI, Spectral line, wide field) and of the observing frequency.

G' = K' B' J' D' E' P' T' F'

Geometry: antenna position...

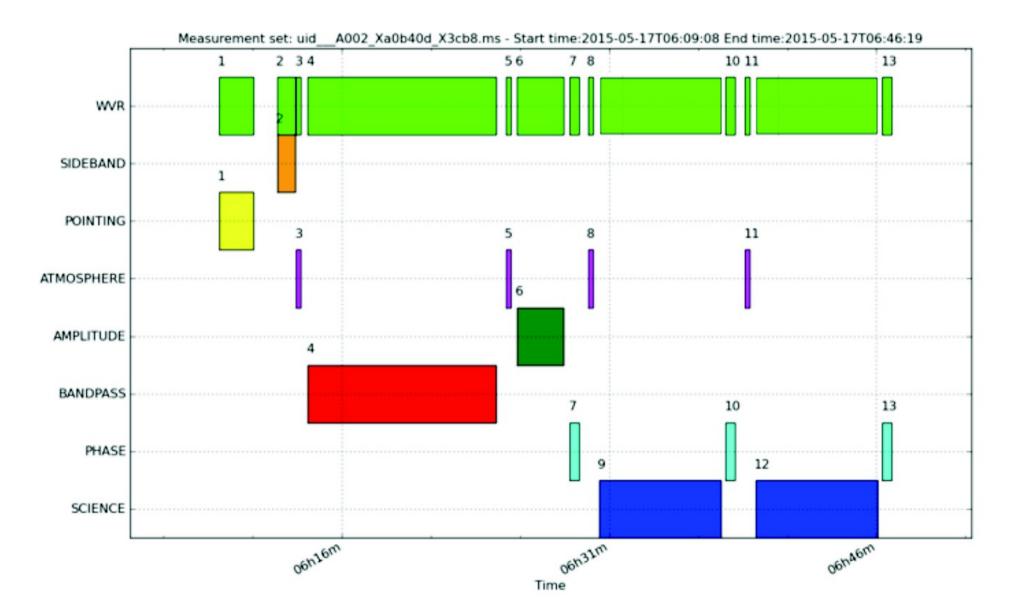
Antenna voltage pattern

Tropospheric effect: wvr

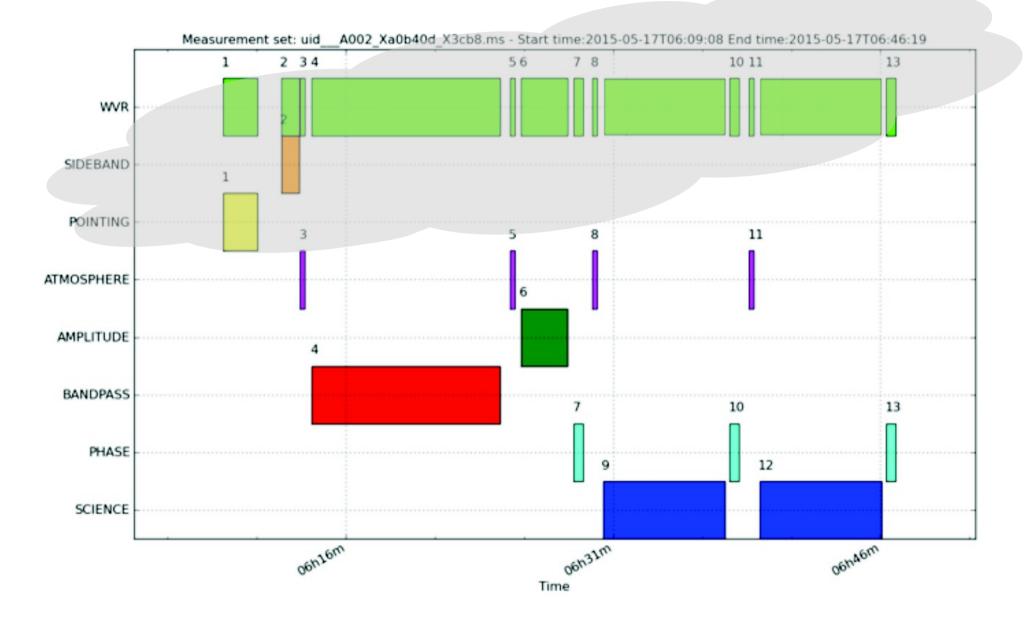
$G^{i}(v,t) = B^{i}(v) J^{i}(t)$

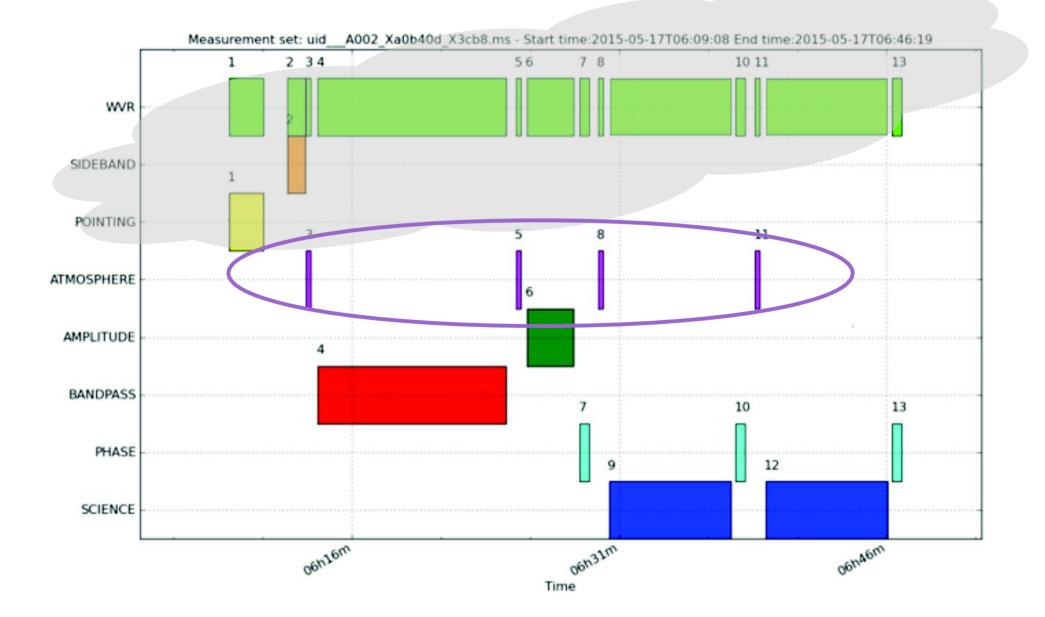
Temporal dependence and frequency dependence are only lightly coupled so their variations can be determined independently or at least iteratively

Calibration in ALMA: typical observational strategy



Calibration in ALMA: typical observational strategy





Calibration in ALMA:

Tsys calibration

$$T_{sys} \sim T_{atm} (e^{\tau} - 1) + T_{rx} e^{\tau}$$

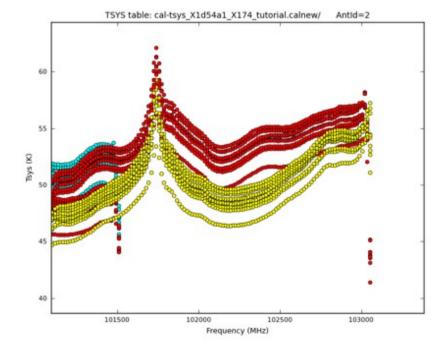
 ALMA front end are equipped with an Amplitude Calibration Device (ACD) T_{sys} and T_{rx} stored in SYSCAL table

 Tsys observations are taken always with the lower spectral resolution (128 channels per polarization)

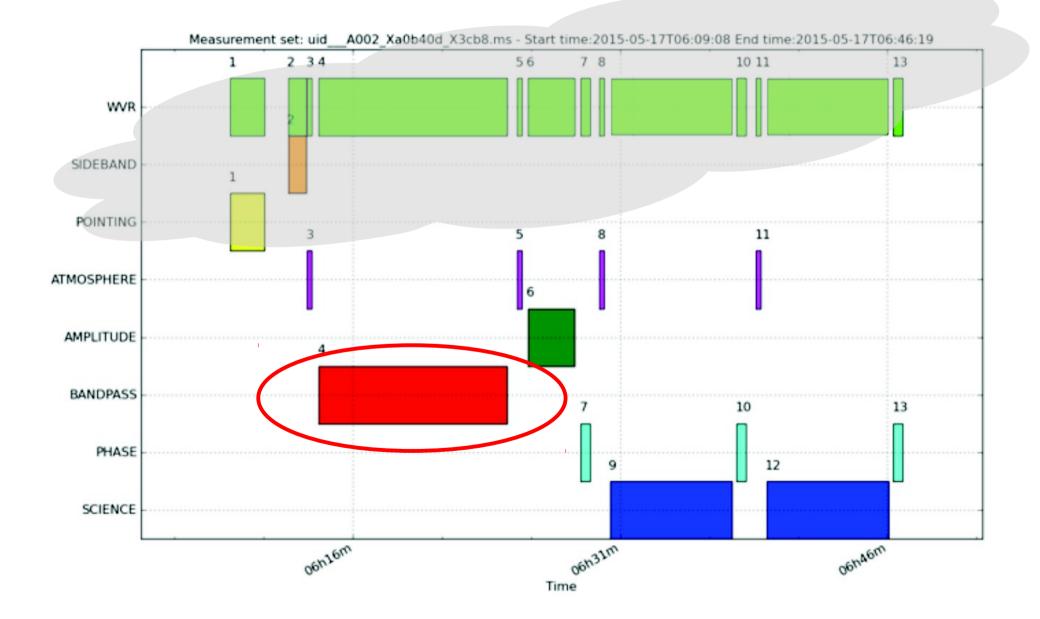
 In principle, every scan could have a system temperature measurement.
 At frequencies below 400 GHz, where Tsys are ~ constant over 10 min or 10 deg, measurements can be limited in time and among sources.

 Assuming correlated data are in units of percentage correlation, multiplication by the Tsys will change the units in Kelvin.

Inspecting Tsys tables is important to identify possible "bad" antennas which need to be flagged.



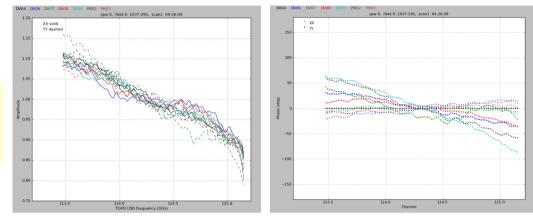
Calibration in ALMA: Bandpass calibration



Calibration in ALMA:

Bandpass calibration

$$G^{i}(v,t) = B^{i}(v)J^{i}(t)$$



amplitude

phase

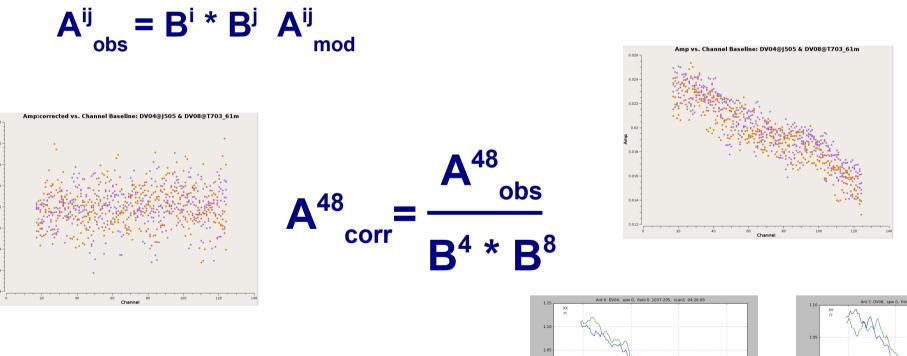
- Calibrate for the response of each antenna ...basically, electronics
- Observations of a bright QSO (typically at the beginning of the observation)
- Amplitude constant within the band
- Observing time long enough to reach high S/N on each channel

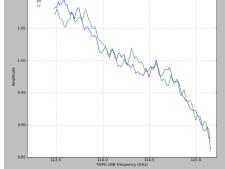
Calibration in ALMA:

Bandpass calibration

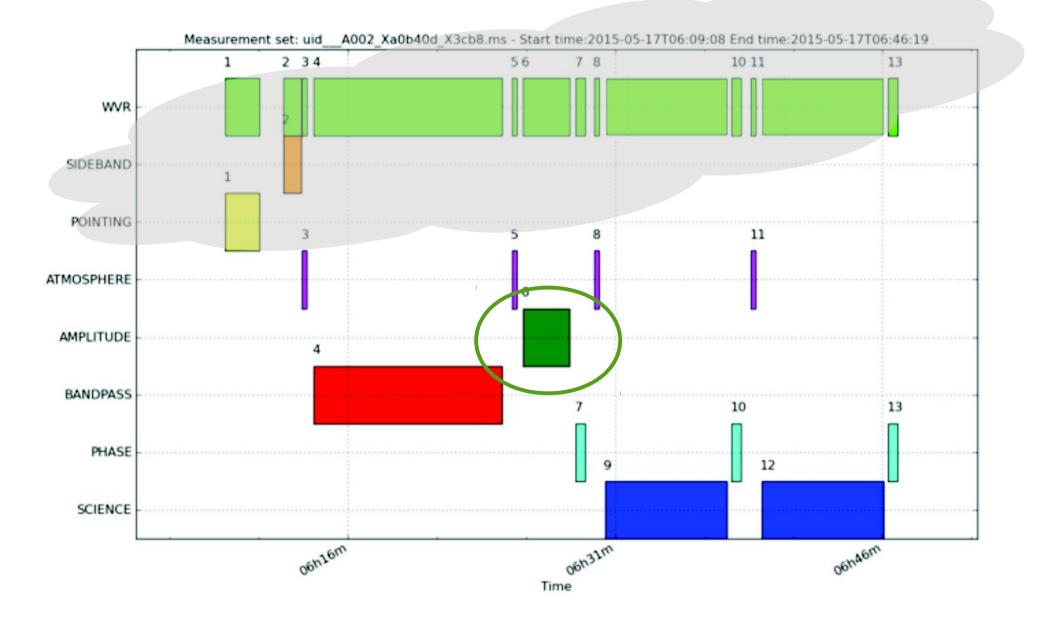
Observing a source with known model (x) = 1

 $A_{mod}(v) = 1$



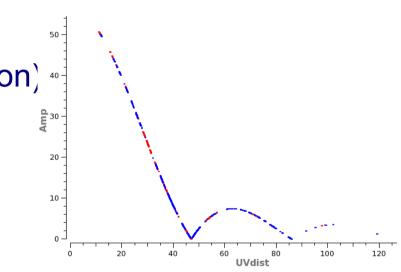


Calibration in ALMA: Amplitude calibration

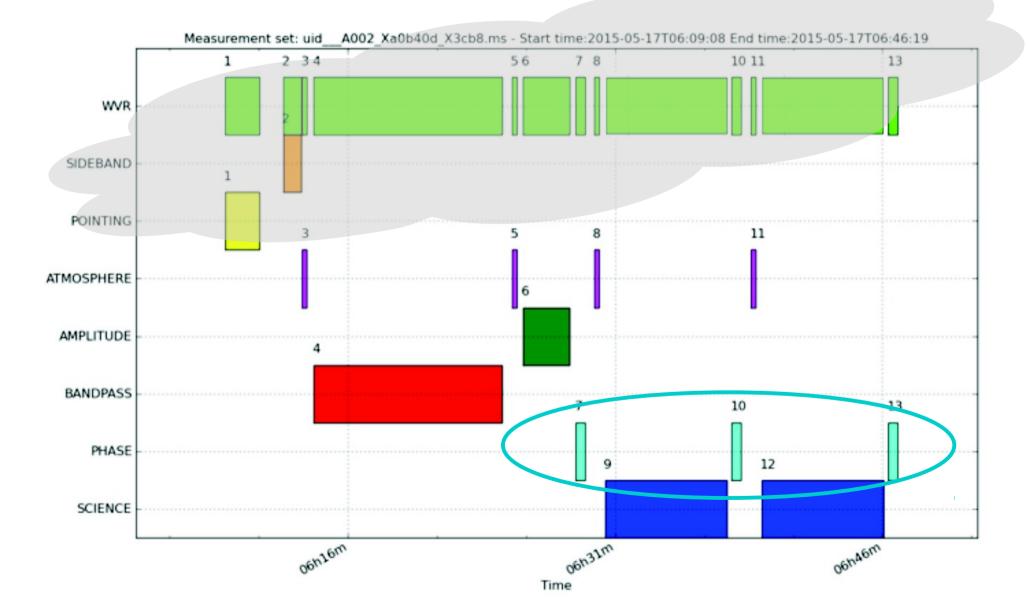


Calibration in ALMA: Amplitude calibration

- Define the Jy/K scale basically antenna efficiency (~40 Jy/K, once Tsys corrected)
- Observations of a non variable object
 "
 (typically at the beginning of the observation) *
- No matter where in the sky



The scale is calculated for the flux calibrator and transferred to bandpass and phase calibrator

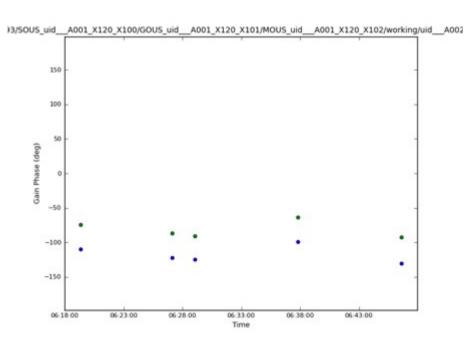


$$G^{i}(v,t) = B^{i}(v)J^{i}(t)$$

- Calibrate for the long time scale dependent response of each antenna
 - ...basically, atmosphere
- Observations of a point like source (QSO)
- As close as possible to the target (< 4 deg)</p>

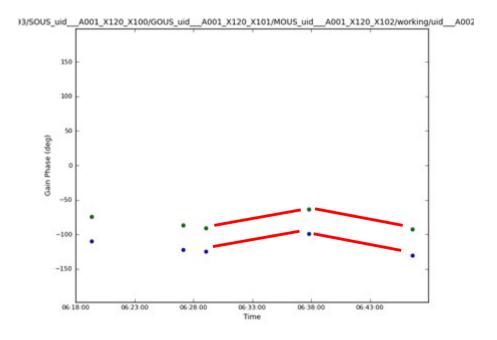
$$G^{i}(v,t) = B^{i}(v)J^{i}(t)$$

Observed regularly before and after target scans



$$G^{i}(v,t) = B^{i}(v)J^{i}(t)$$

- Observed regularly before and after target scans
- Solutions applied to the target using a linear interpolation



Calibration in ALMA:

Apply all the calibrations and NOW make the image!!!

