

Your data and “A priori” Calibration

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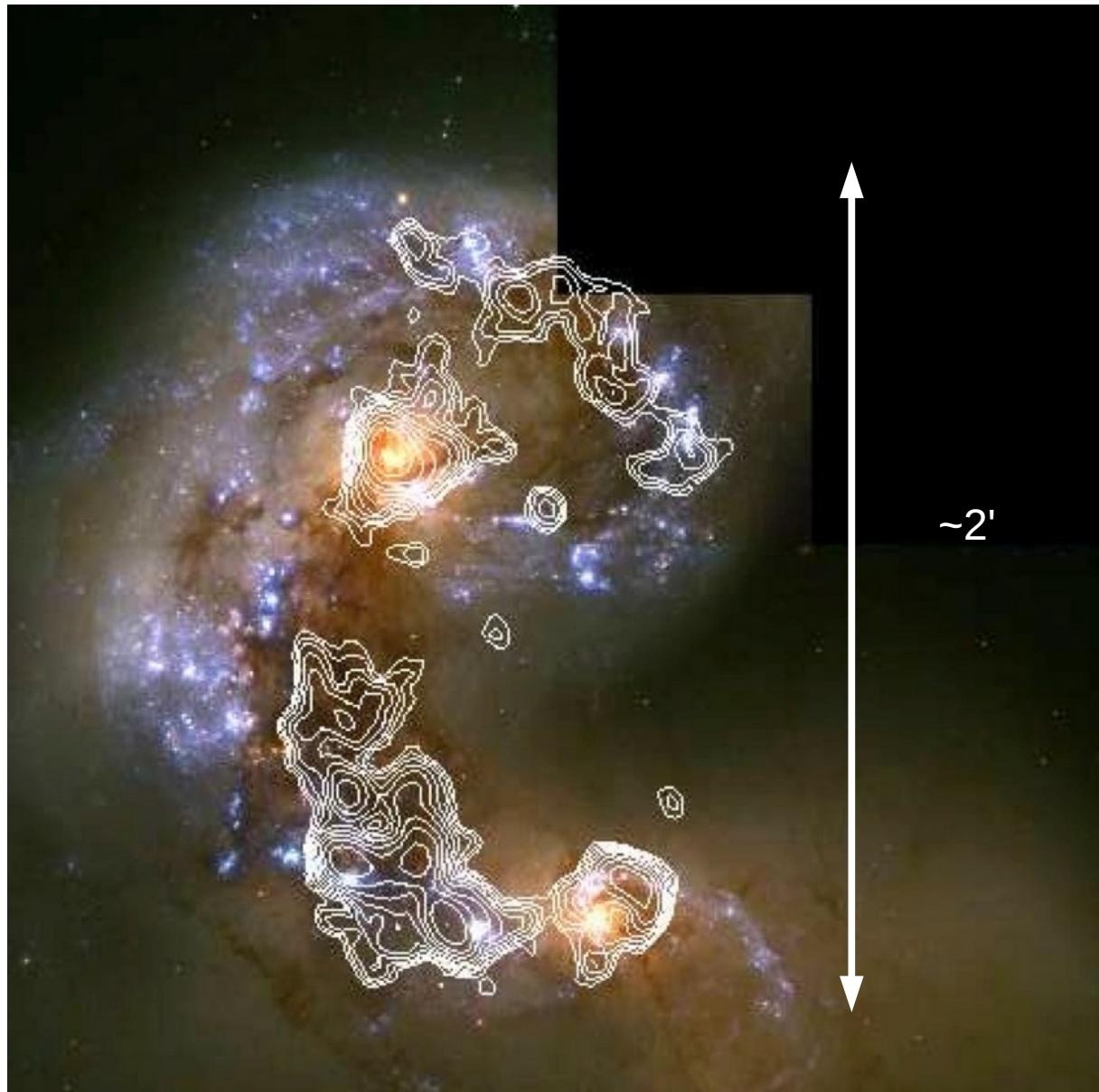
<http://www.alma.inaf.it/index.php/Courses>

NGC4038/4039



Nearby
($z=0.005688$)
interacting galaxies:
NGC4038 & NGC4039

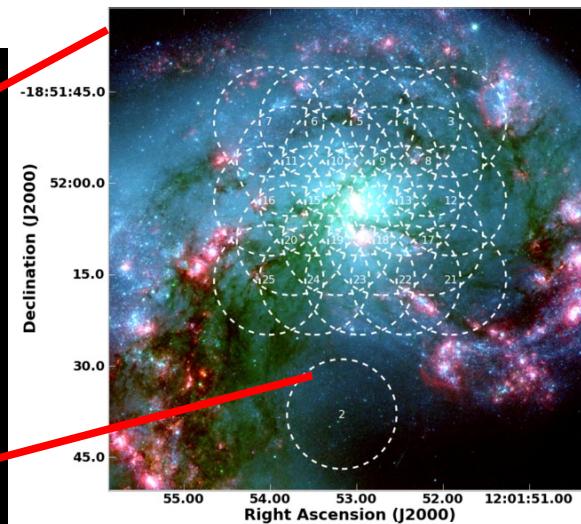
NGC4038/4039



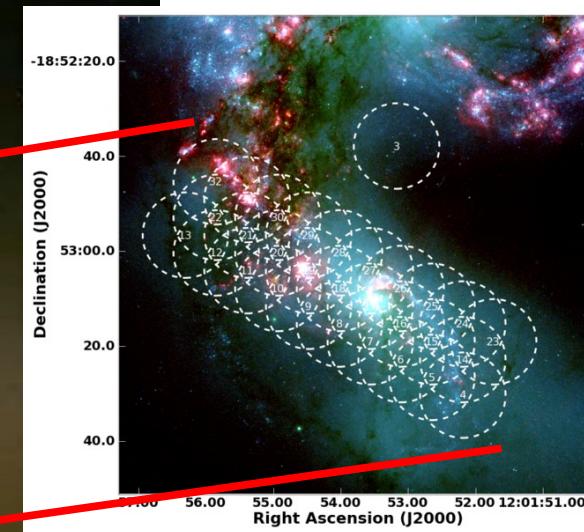
Wilson et al. (2000)

Observations of CO(1-0)
resolution $3'' \times 4''$

ALMA field of view in Band 7 ~ 15 “



**23
pointings**



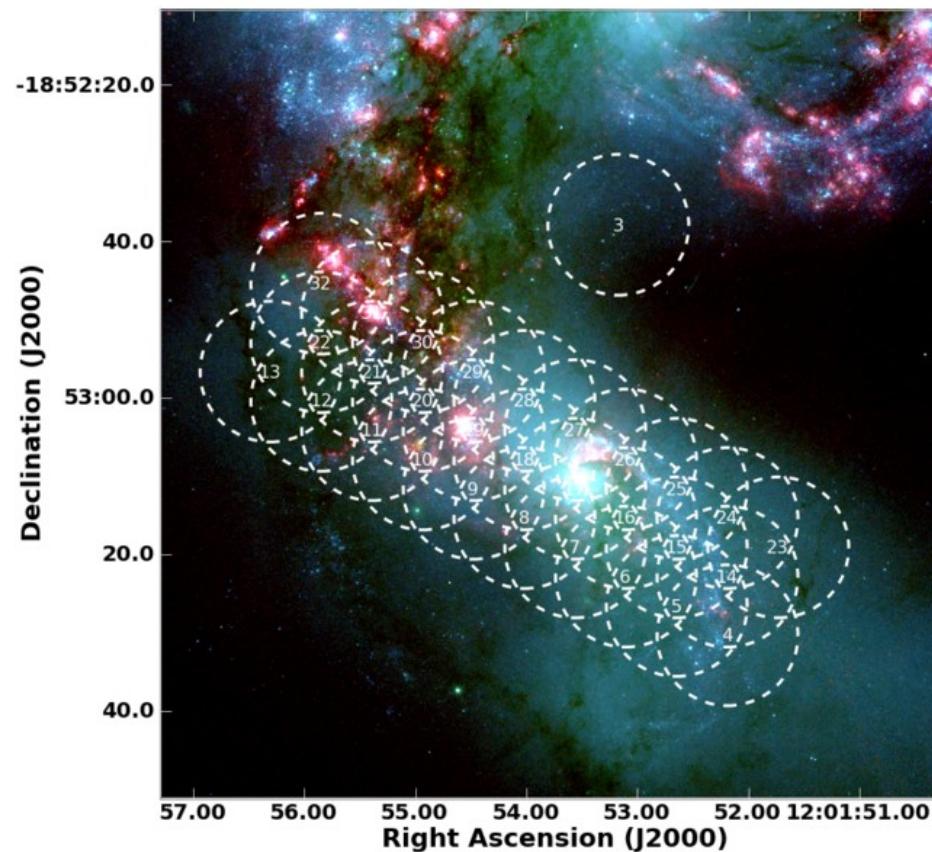
**29
pointings**

Antennae ALMA SV

ALMA Science Verification data targeting the CO (3-2) line
(rest frequency = 345.7960 GHz)

ALMA field of view ~ 15 " ----> mosaics

Your dataset is an observation of the Southern region



Peculiarities @ mm

With increasing frequency:

- ★ **No external human interferences in the data**
- ★ **No ionospheric effect**



- ★ Tropospheric effects: absorption and delay of signal

→ stronger weather dependency



→ T_{sys} dominated by atmospheric noise

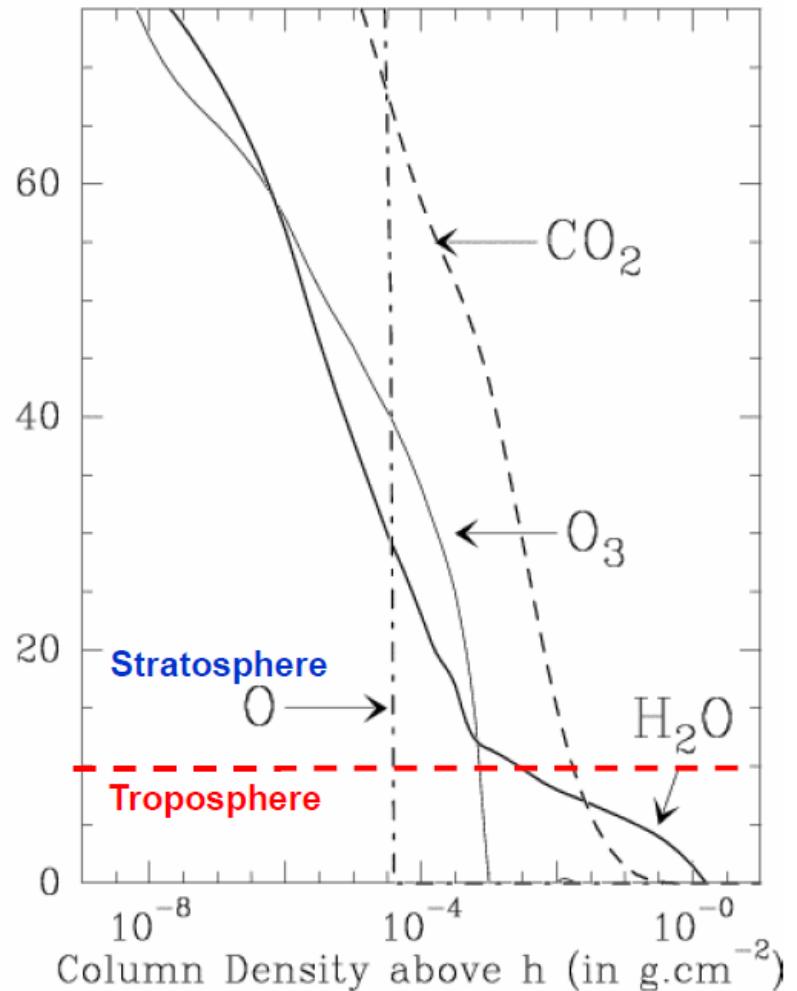
Peculiarities @ mm



The role of the troposphere

- H_2O (mostly vapor)
- “Hydrosols” (water droplets in clouds and fog)
- “Dry” constituents: O_2 , O_3 , CO_2 , Ne , $\text{He}, \text{Ar}, \text{Kr}$, CH_4 , N_2 , H_2
- clouds & convection = time variation

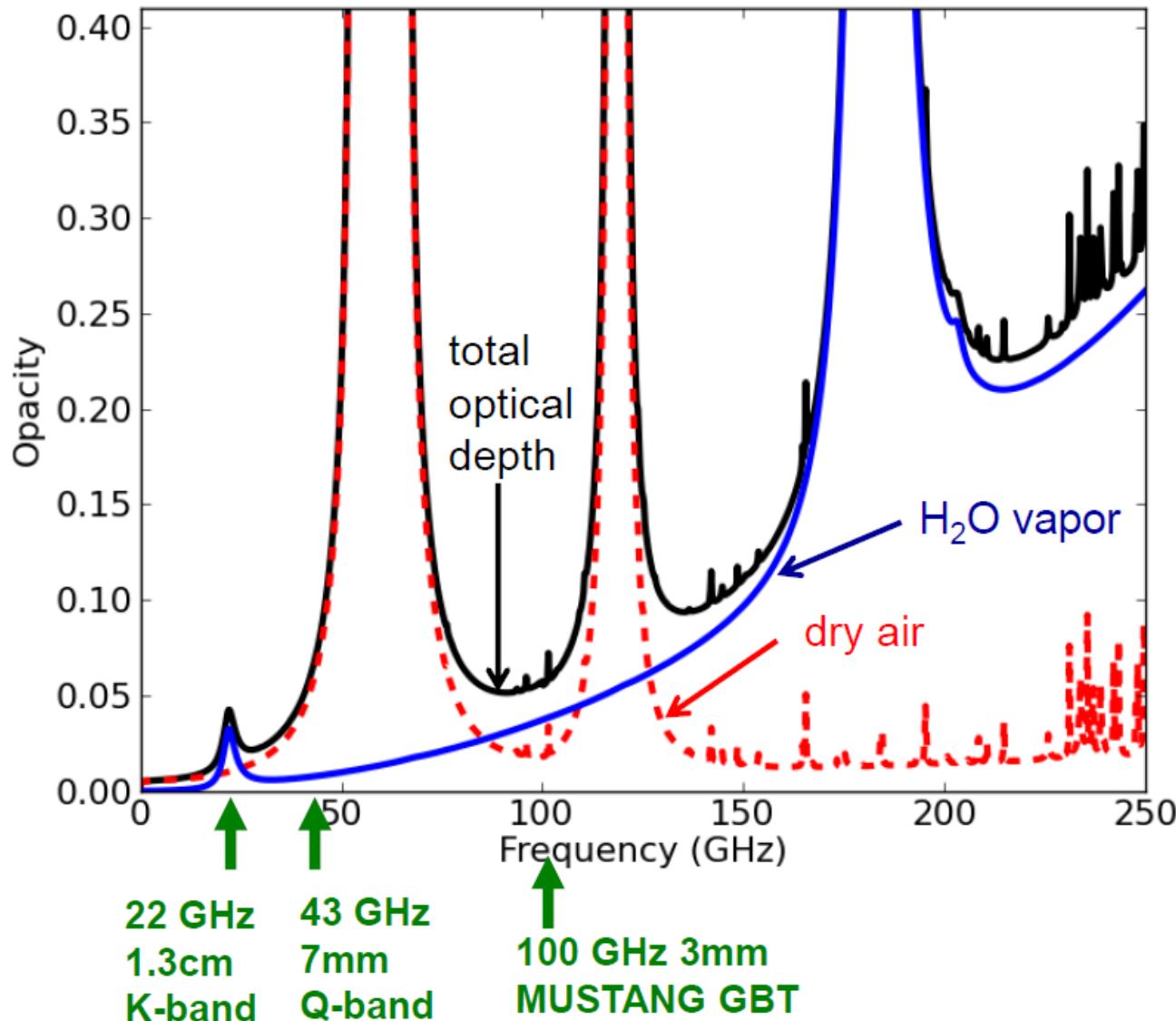
Column density as function of altitude



Peculiarities @ mm



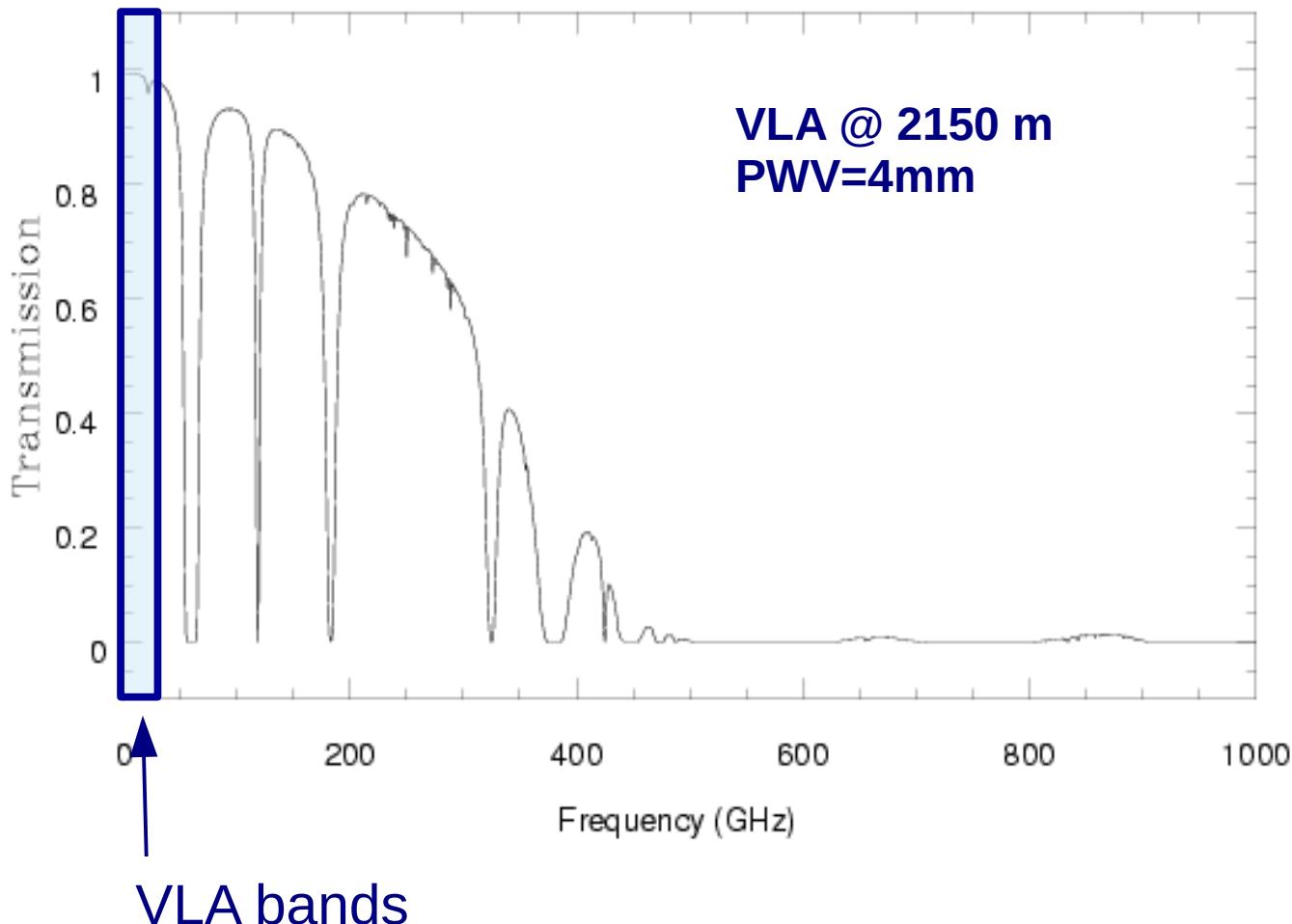
Optical depth as function of frequency



Peculiarities @ mm



Tropospheric opacity depends on altitude

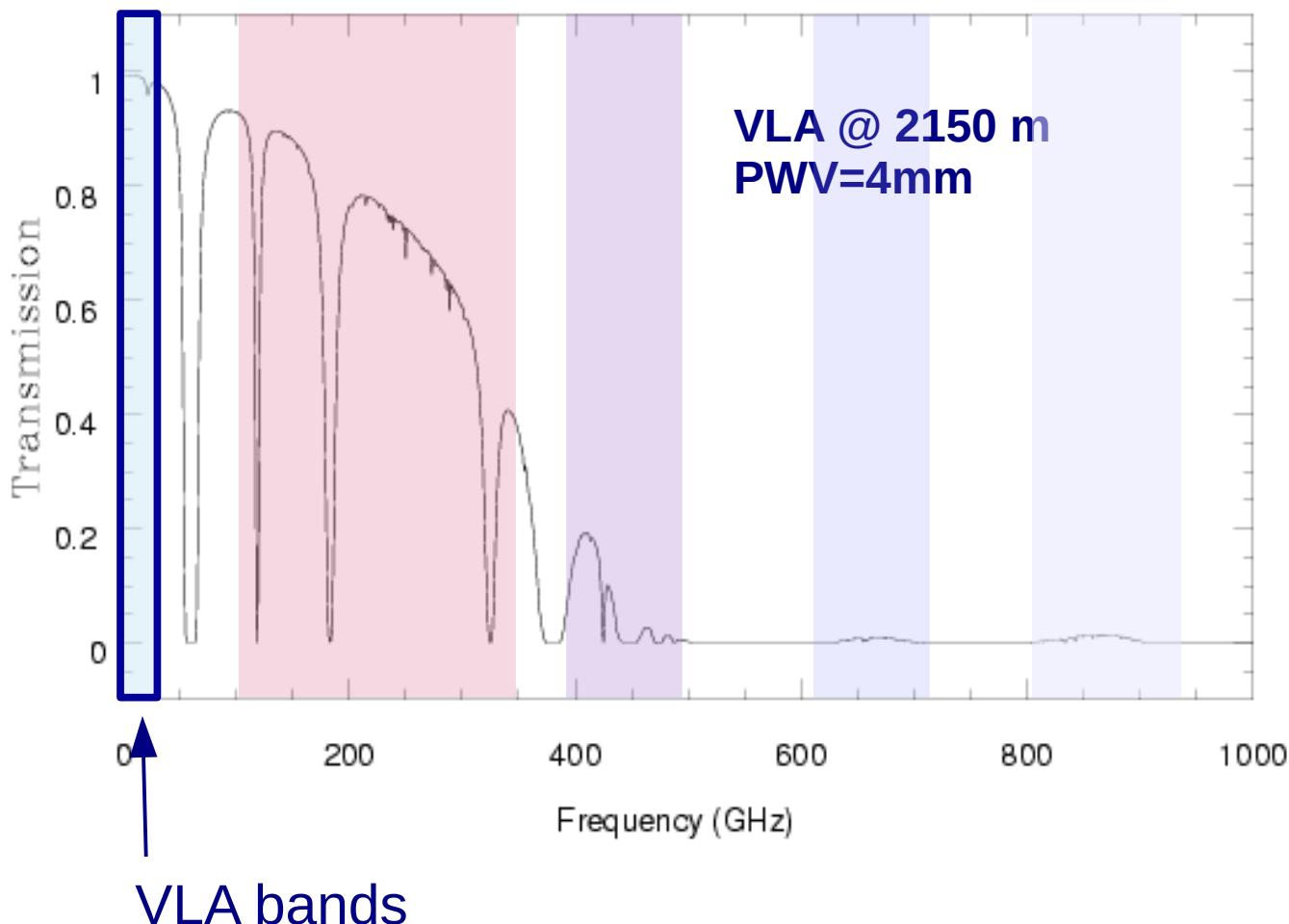


Atmospheric transmission not a problem @ $\lambda > \text{cm}$

Peculiarities @ mm



Tropospheric opacity depends on altitude

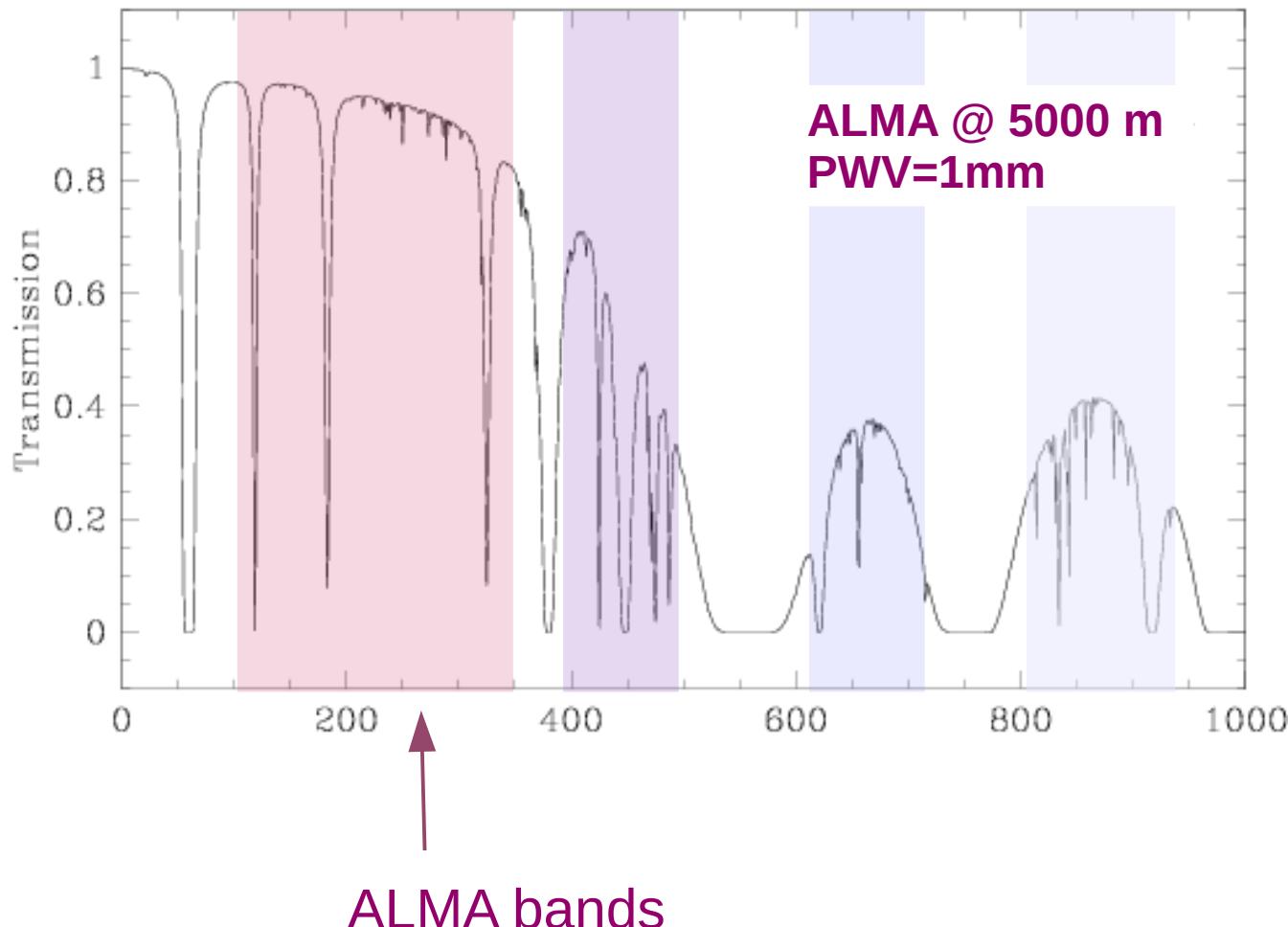


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Peculiarities @ mm



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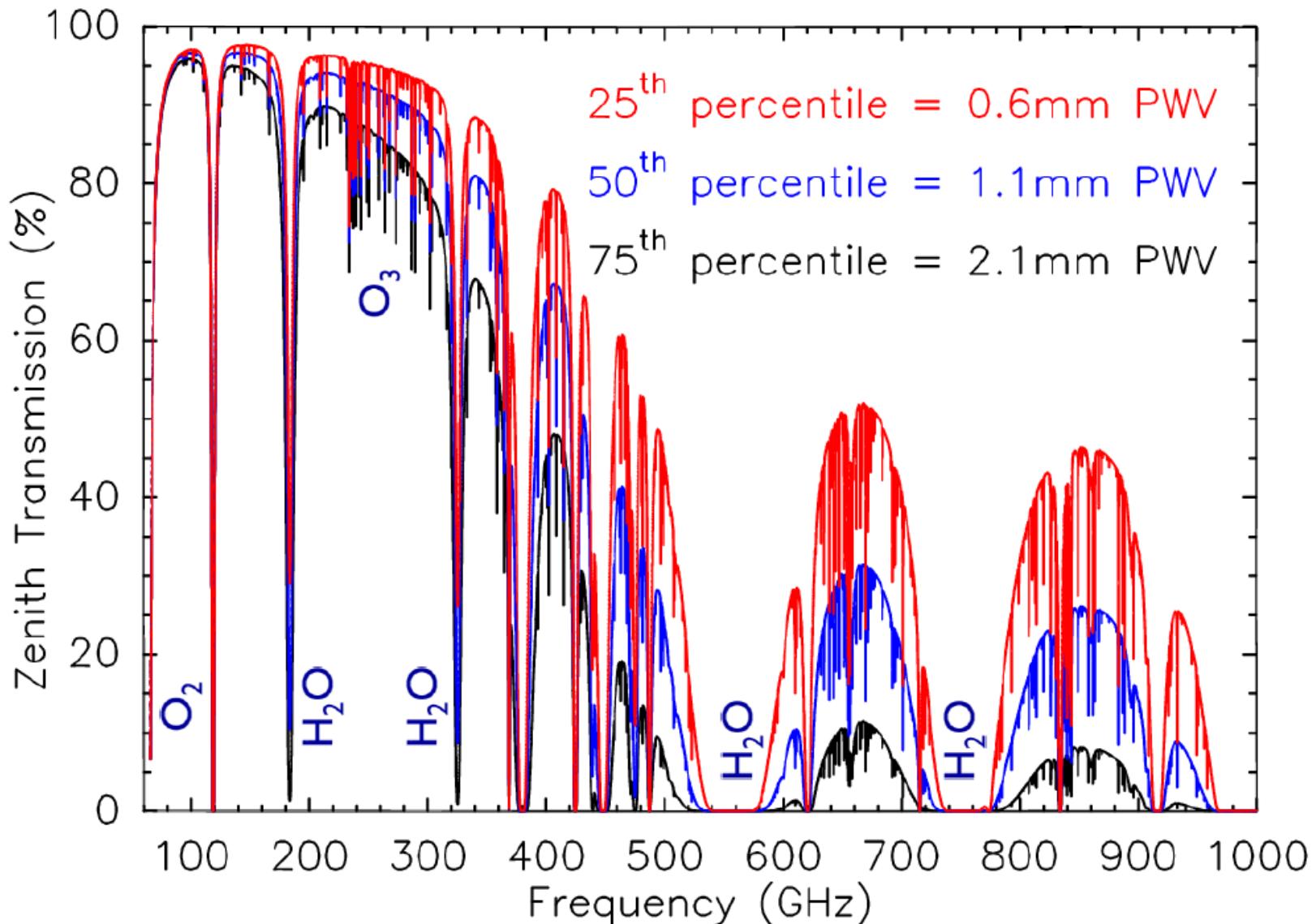


Difference due
to the scale
height of water
vapor

Peculiarities @ mm

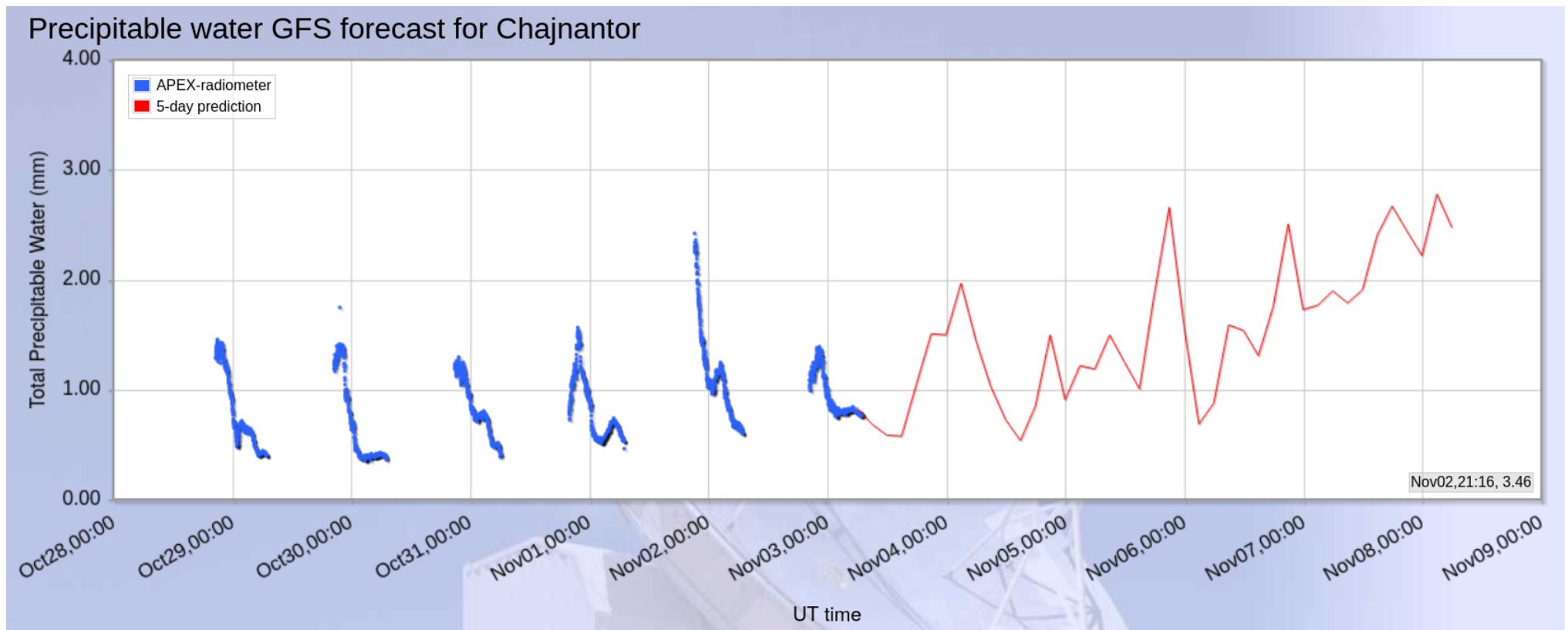


PWV= Precipitable Water Vapour



Dynamic scheduling

To efficiently use ALMA's capabilities under varying environmental conditions:



<http://www.apex-telescope.org/weather/RadioMeter/index.php>

Dynamic scheduling

To efficiently use ALMA's capabilities under varying environmental conditions, an observation is divided in blocks of self-consistent observations **EBs “Execution blocks”**

The project we are working on has 6 EBs:

uid____A002_X1ff7b0_X1c8
uid____A002_X207fe4_X1f7
uid____A002_X207fe4_X4d7
uid____A002_X215db8_X18
uid____A002_X215db8_X1d5
uid____A002_X215db8_X392

Each of them contains all the observations of the calibrators needed to properly calibrate the scientific data

Peculiarities @ mm



Mean effect of atmosphere on Phase

Variations in precipitable water vapor (PWV) cause phase fluctuations, worse at higher frequencies, resulting in:

- Phase shift due to refractive index $n \neq 1$
- Low coherence (loss of sensitivity)

Patches of air with different pwv
(and hence index of refraction)
affect the incoming wave front differently.

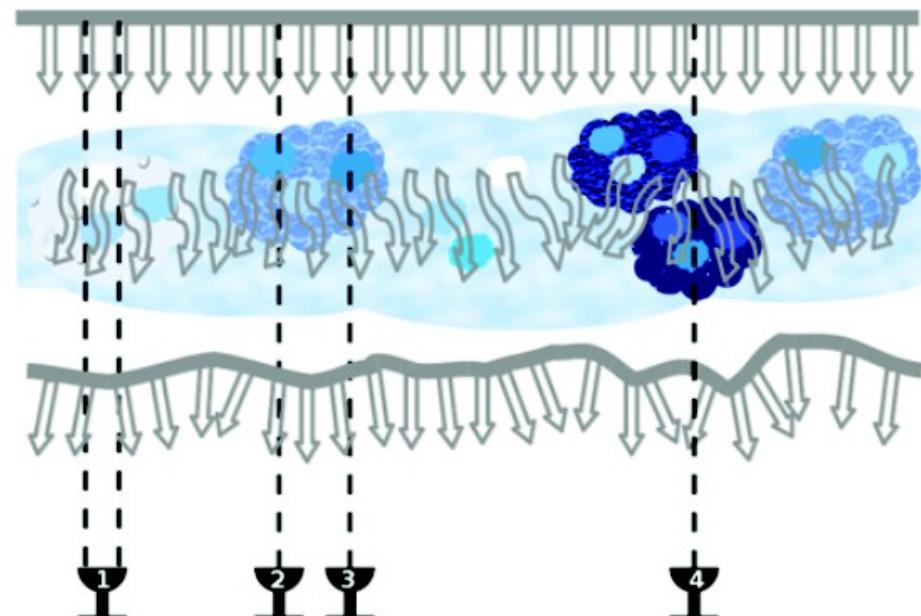
Antenna 1, 2, 3 see slightly different disturbances

Sky above antenna 4 varies independently

**The phase change experienced by an e.m.
wave can be related to pwv**

$$\varphi_e \approx \frac{12.6\pi}{\lambda} \cdot \text{pwv}$$

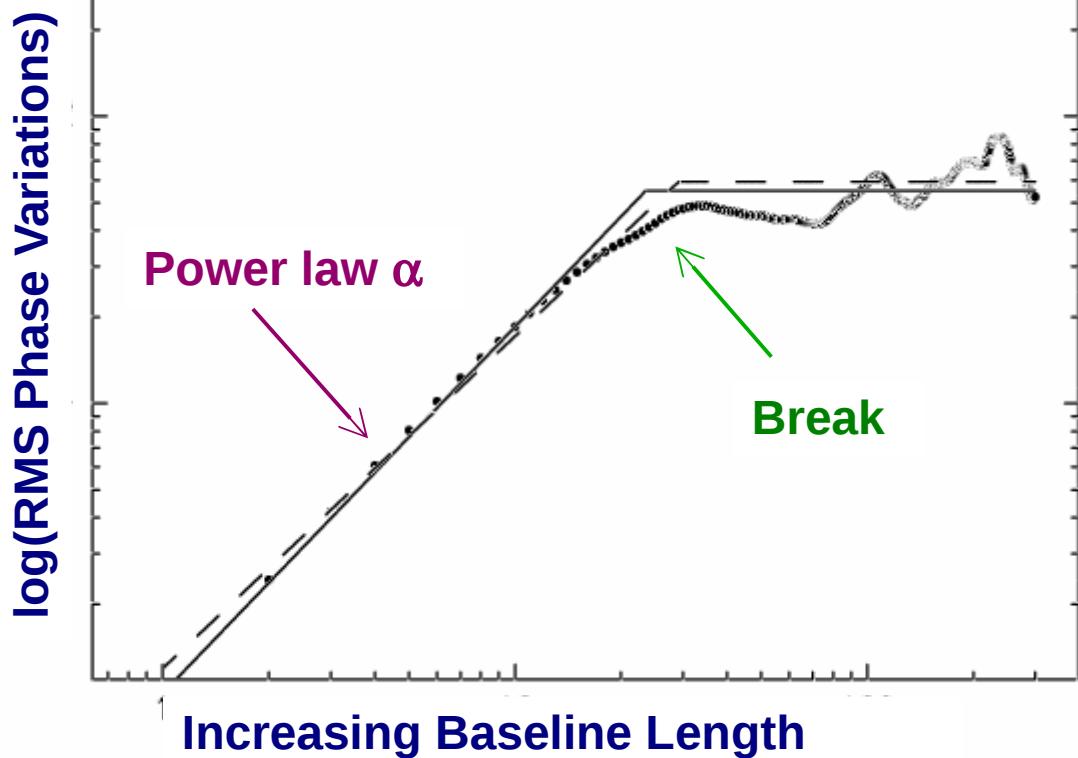
Hogg, Guiraud, & Decker, 1981



Peculiarities @ mm



Atmospheric phase fluctuations



Phase noise

$$\varphi_{rms} = \frac{K b^\alpha}{\lambda}$$

Kolmogorov
turbulence
theory

b =baseline length (km)
 $\alpha = 1/3$ to $5/6$ (thin or thick atmosphere)
 λ = wavelength (mm)
K constant (~ 100 for ALMA)

The break is typically @ baseline lengths few hundred meters to few km (scale of the turbulent layers)

Break and maximum are weather and wavelength dependent

Peculiarities @ mm



Atmospheric phase fluctuations → decorrelation

We lose integrated flux because visibility vectors partly cancel out

$$\langle V \rangle = V_o \langle e^{i\varphi} \rangle = V_o e^{-(\varphi_{rms}^2)/2}$$

$$\varphi_{rms} = 1 \text{ radian} \rightarrow \langle V \rangle = 0.60 V_o$$

In summary

Fluctuations in the line-of-sight pwv of an antenna cause phase variations of the order of ~30 deg / sec at 90 GHz, and scales linearly with frequency....

$$\varphi_e \approx \frac{12.6\pi}{\lambda} \cdot pwv$$

and the phase noise is worse at longer baselines...

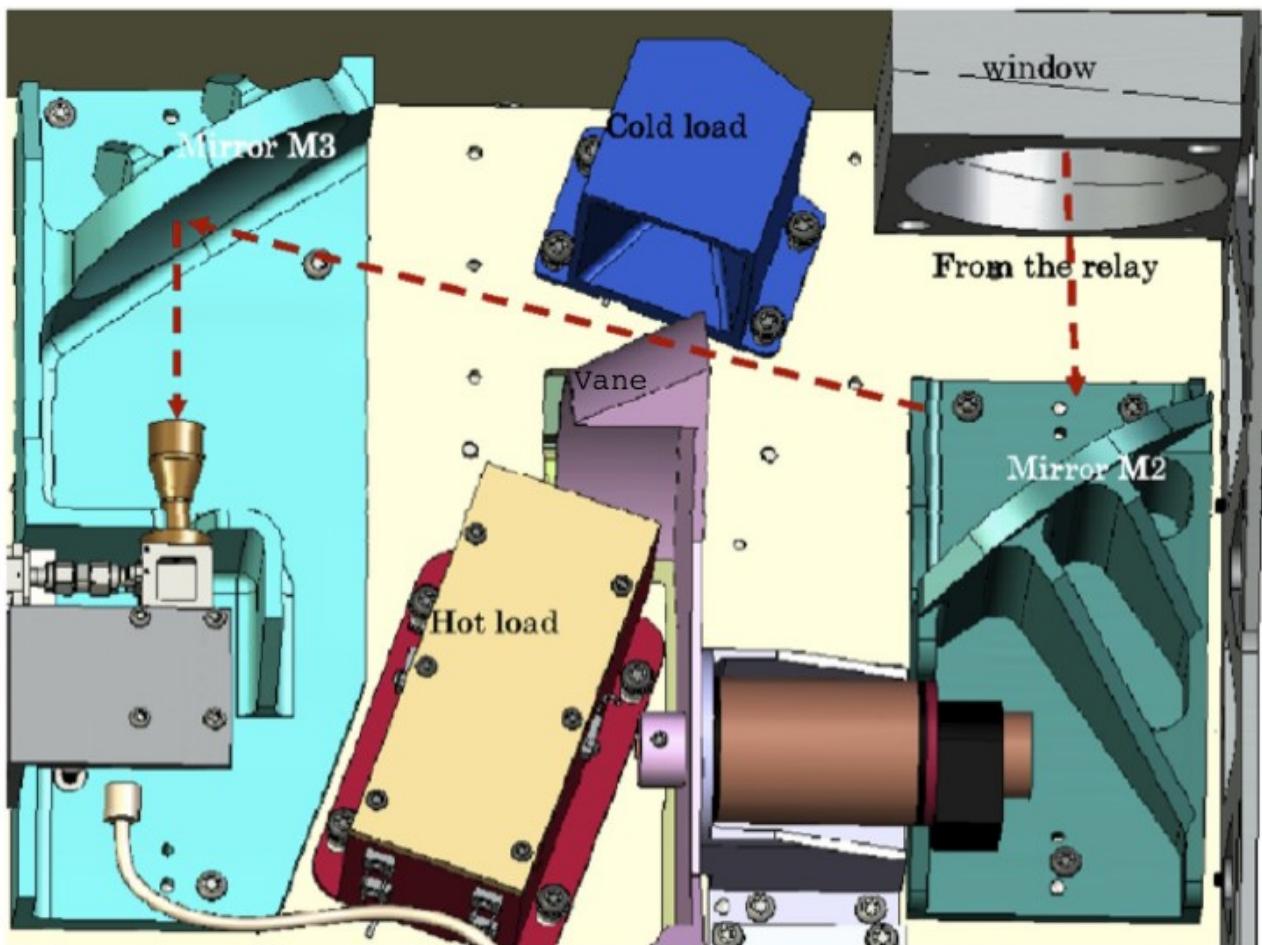
$$\varphi_{rms} = \frac{K b^\alpha}{\lambda}$$

Peculiarities @ mm



WVR correction

Each ALMA 12 m antenna has a **water vapour radiometer**



Peculiarities @ mm

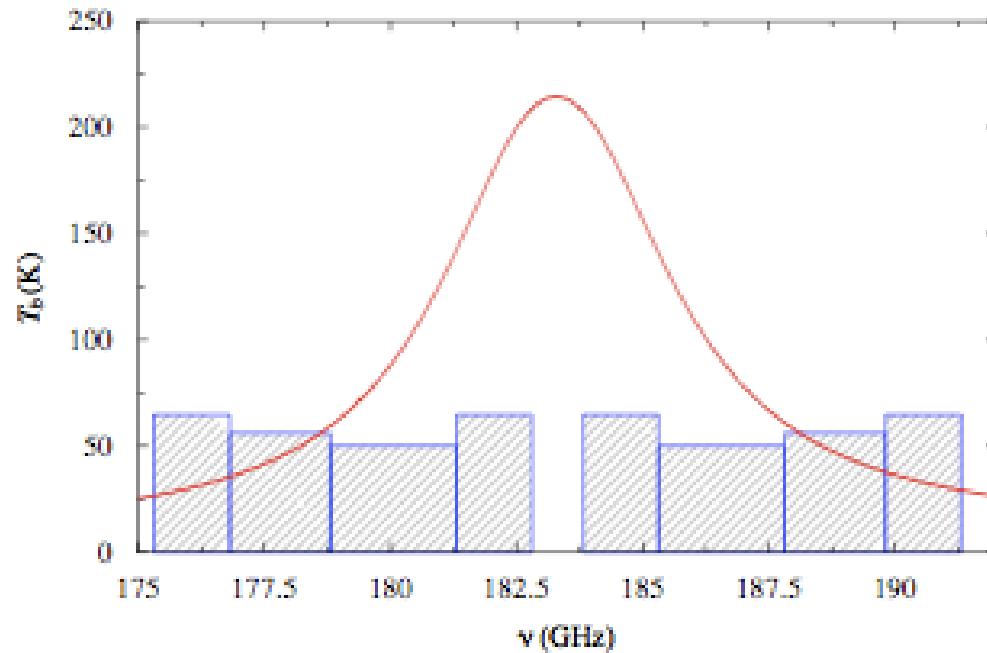


WVR correction

Each ALMA 12 m antenna has a water vapour radiometer

Four “channels” flanking the peak of the 183 GHz water line

Data taken every second



Peculiarities @ mm



WVR correction

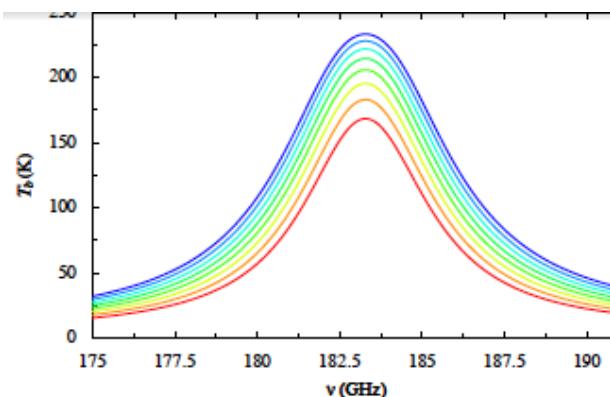
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Four “channels” flanking the peak of the 183 GHz water line

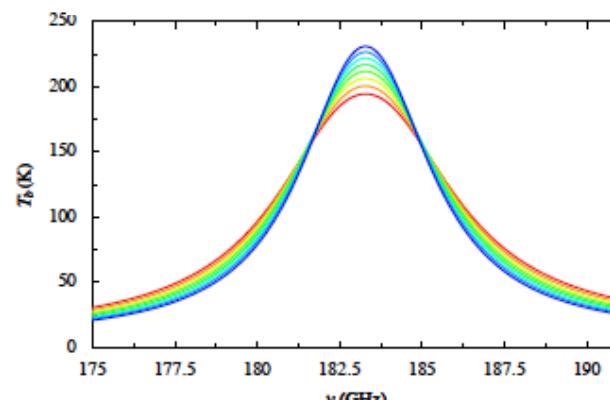
Data taken every second

Convert 183 GHZ brightness to PWV (wvrgcal):
model PWV, temperature and pressure
compare to the observed “spectrum”
compute the correction:

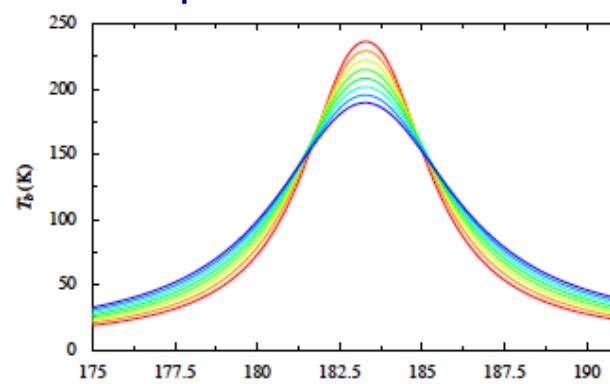
$$\varphi_e \approx \frac{12.6\pi}{\lambda} \cdot p_{wv}$$



PWV from 0.6 to 1.3 mm



Temperature 230-300 K



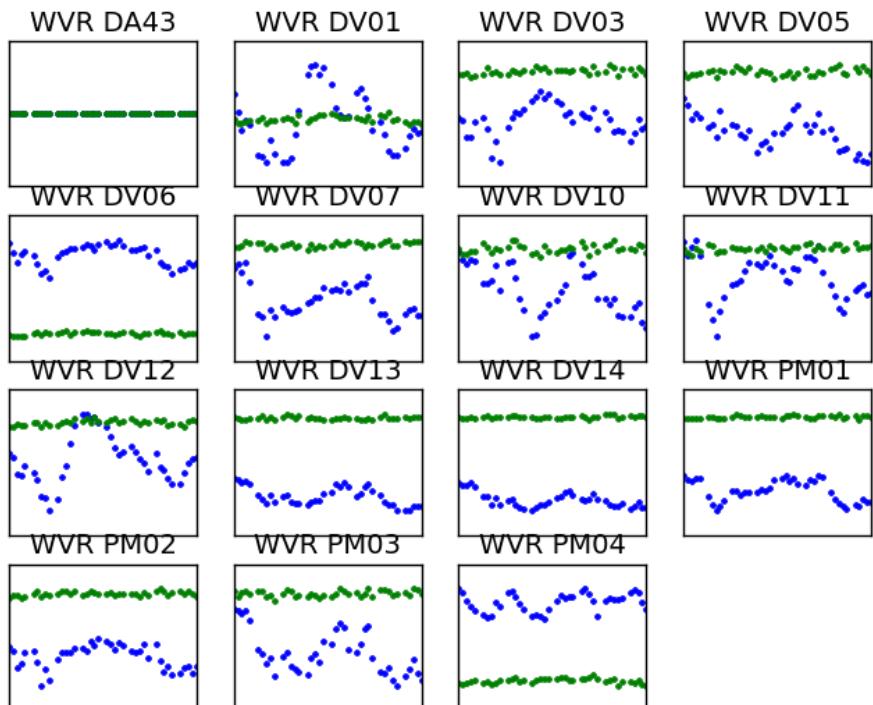
Pressure 400-750 mBar

Peculiarities @ mm



WVR correction

Band 6 (230 GHz)



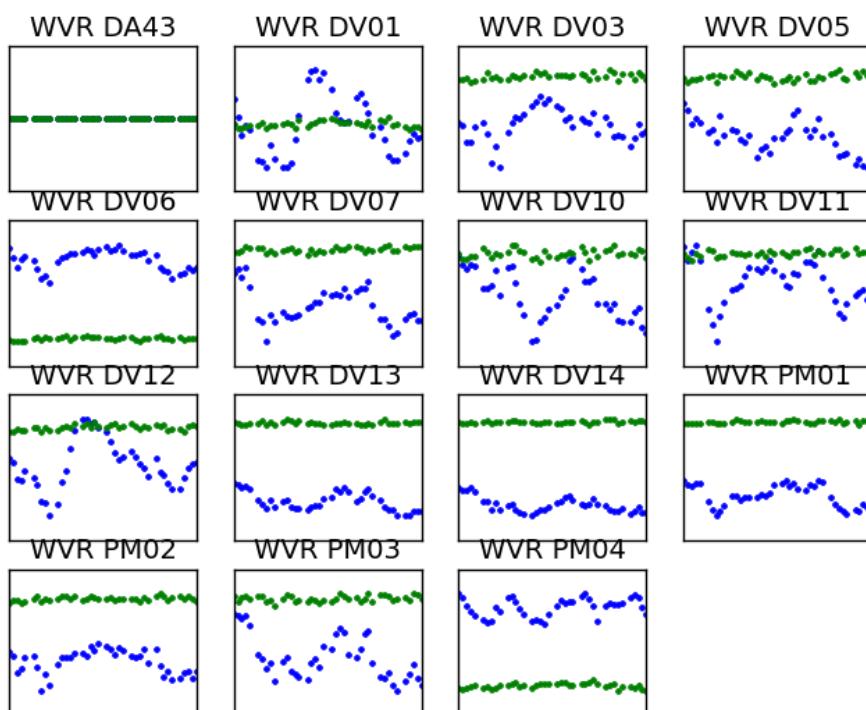
Raw phases & WVR corrected phases

Peculiarities @ mm

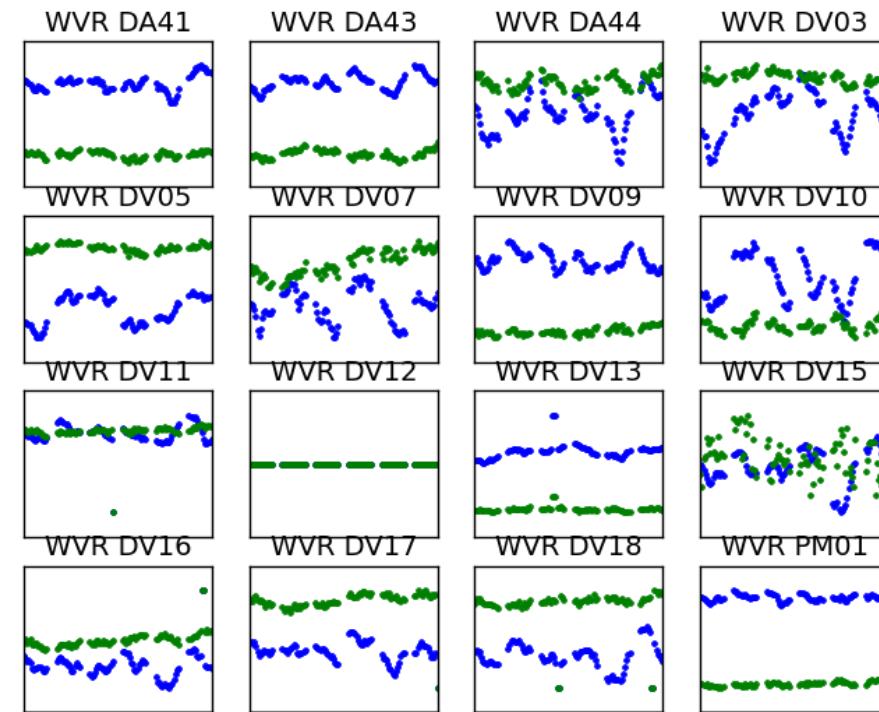


WVR correction

Band 6 (230 GHz)



Band 7 (340 GHz)



Raw phases & WVR corrected phases

Peculiarities @ mm

e.g. to observe a 1 Jy source with a 10 m radiotelescope
we have to measure $T_A \sim 0.04 \text{ K}$ against $T_{\text{sys}} \sim 100 \text{ K}$

$$T_{\text{sys}} \sim T_{\text{atm}} (1 - e^{-\tau}) + T_{\text{rx}}$$

At lower frequencies T_{rx} is dominant



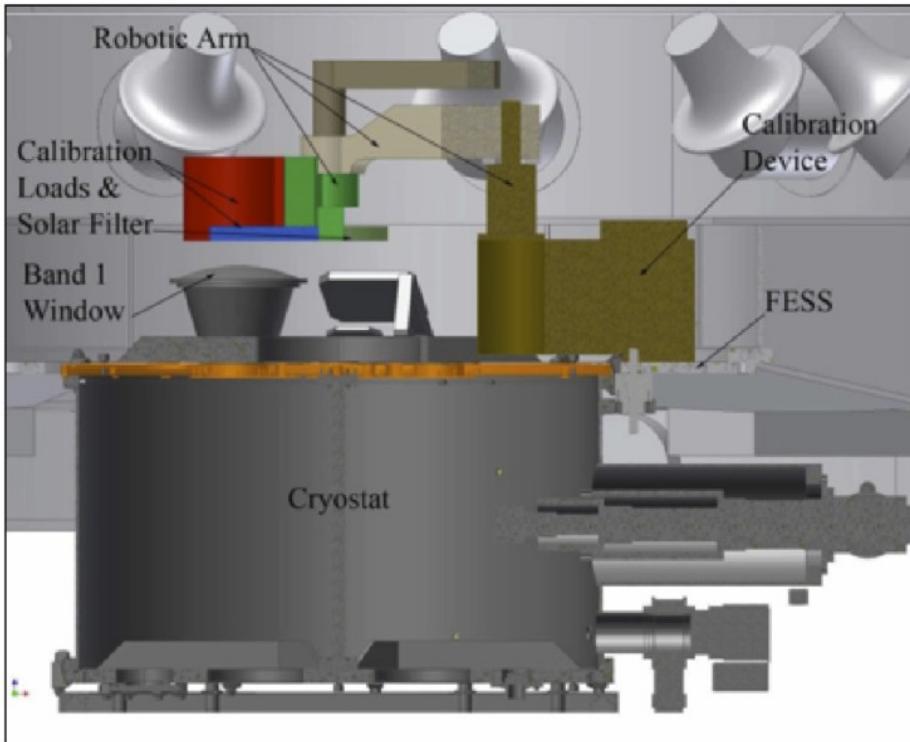
At higher frequencies (mm/submm)
the noise associated with the atmosphere
 T_{atm} is dominant, and acts like a blackbody
emitter, attenuating the astronomical signal

Peculiarities @ mm



System noise temperature

ALMA front end are equipped with an Amplitude Calibration Device (ACD)



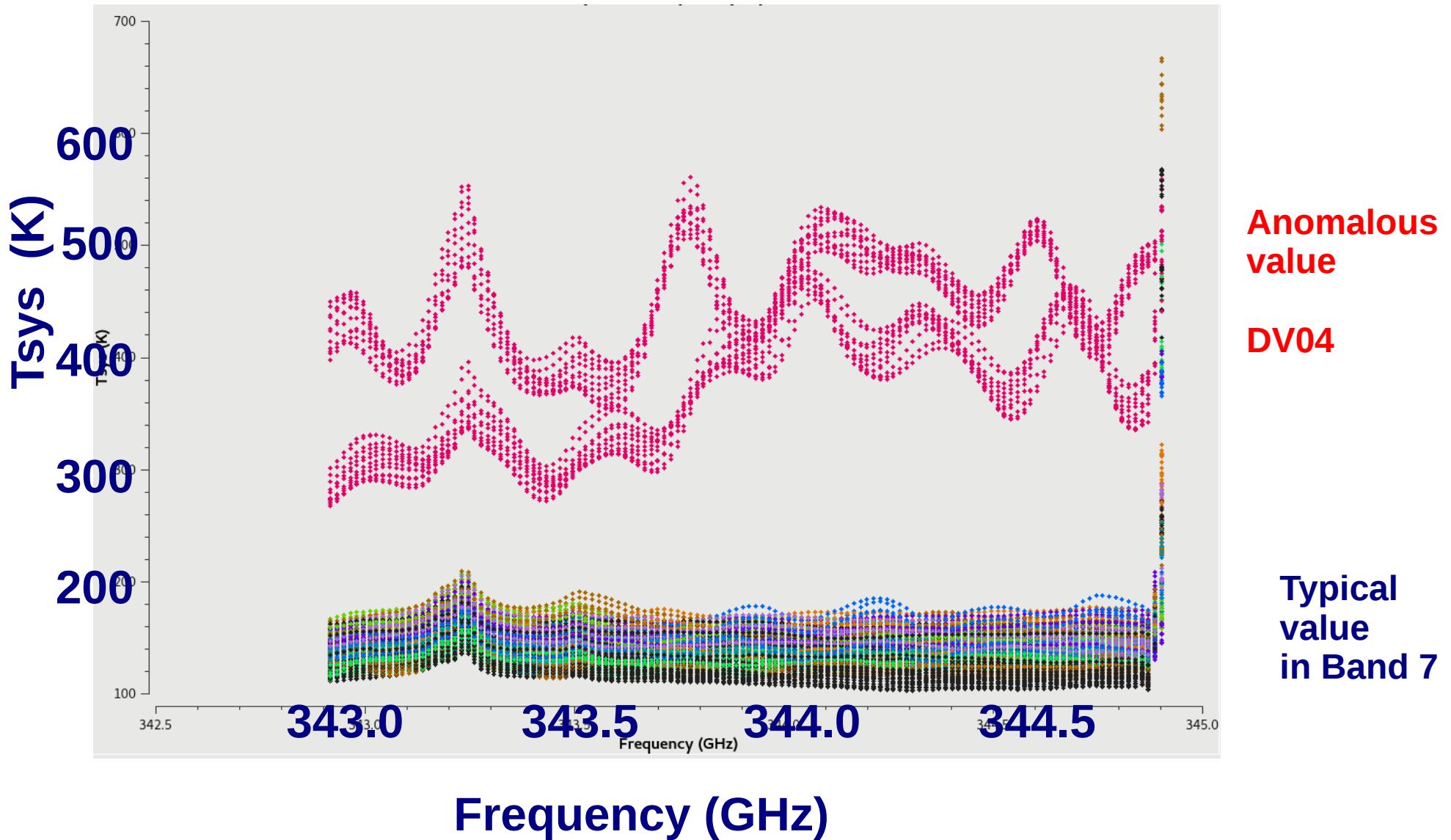
To measure
 T_{sys} and T_{rx}
stored in tables

Every scan could have a T_{sys} measurement, but <400 GHz relatively constant ~10min.

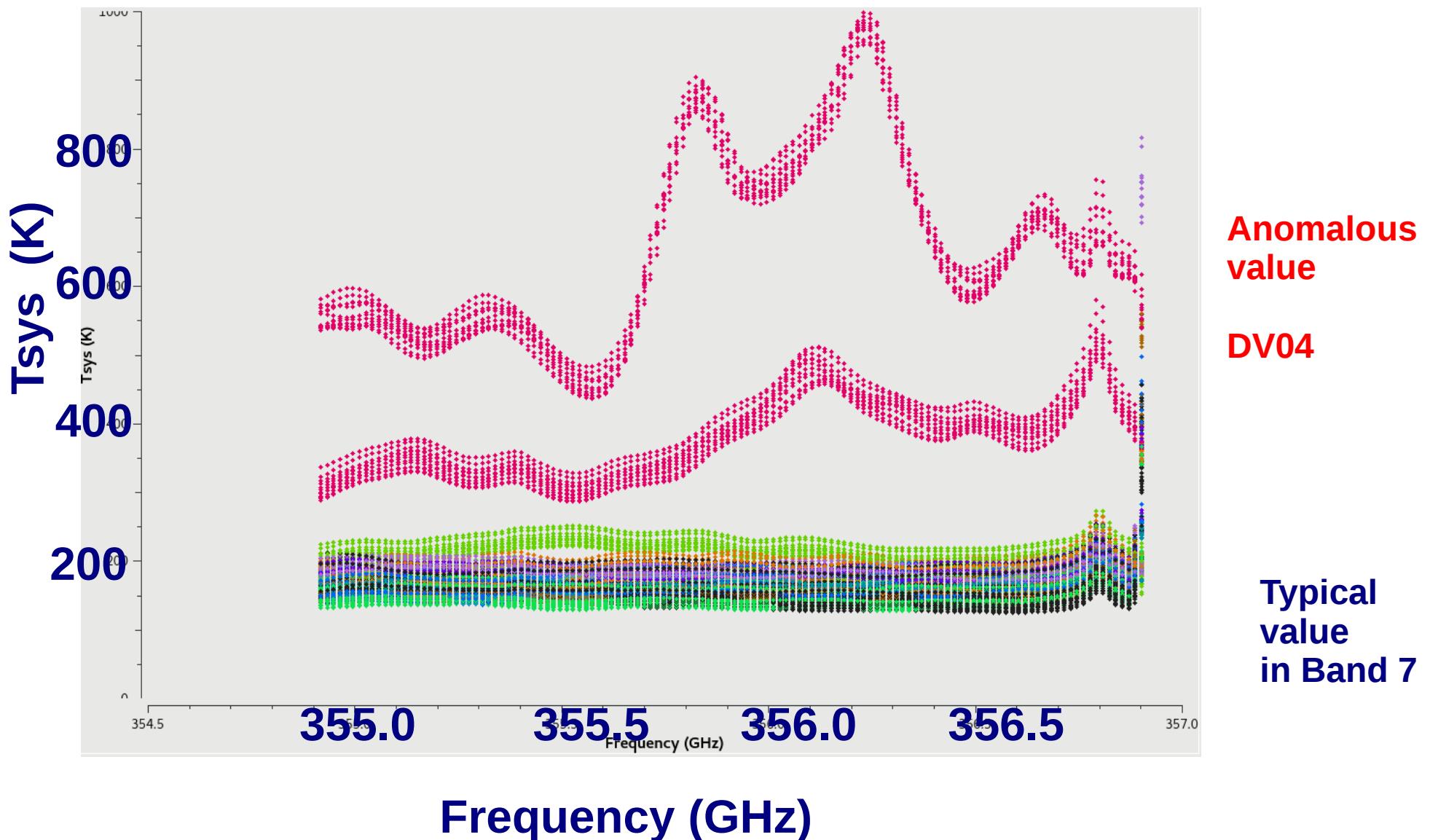
T_{sys} spectra are applied off-line to the correlated data.

Assuming correlated data in units of % correlation multiplication by T_{sys} will change the unit to Kelvin

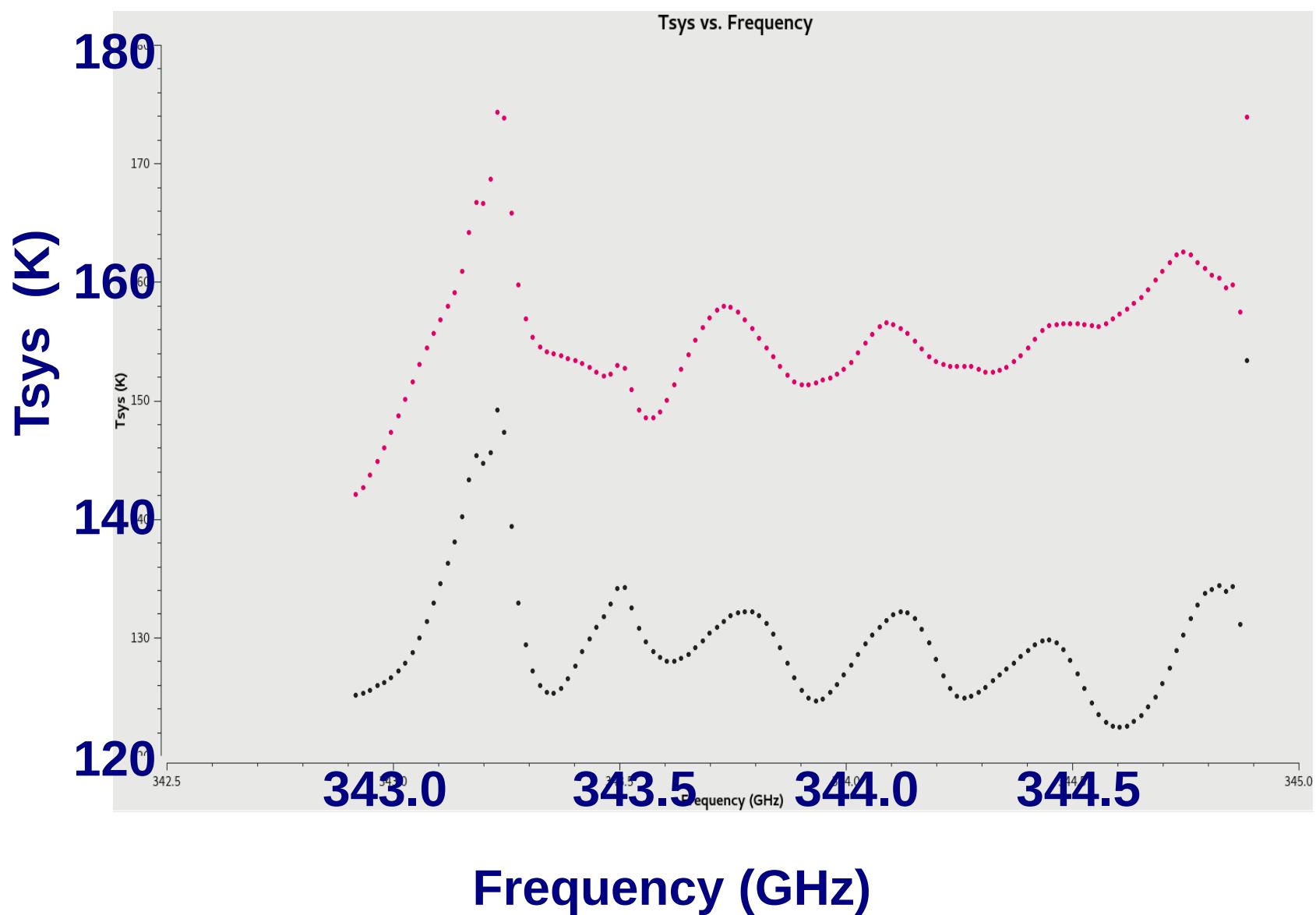
Tsys in your dataset: in color different antennas



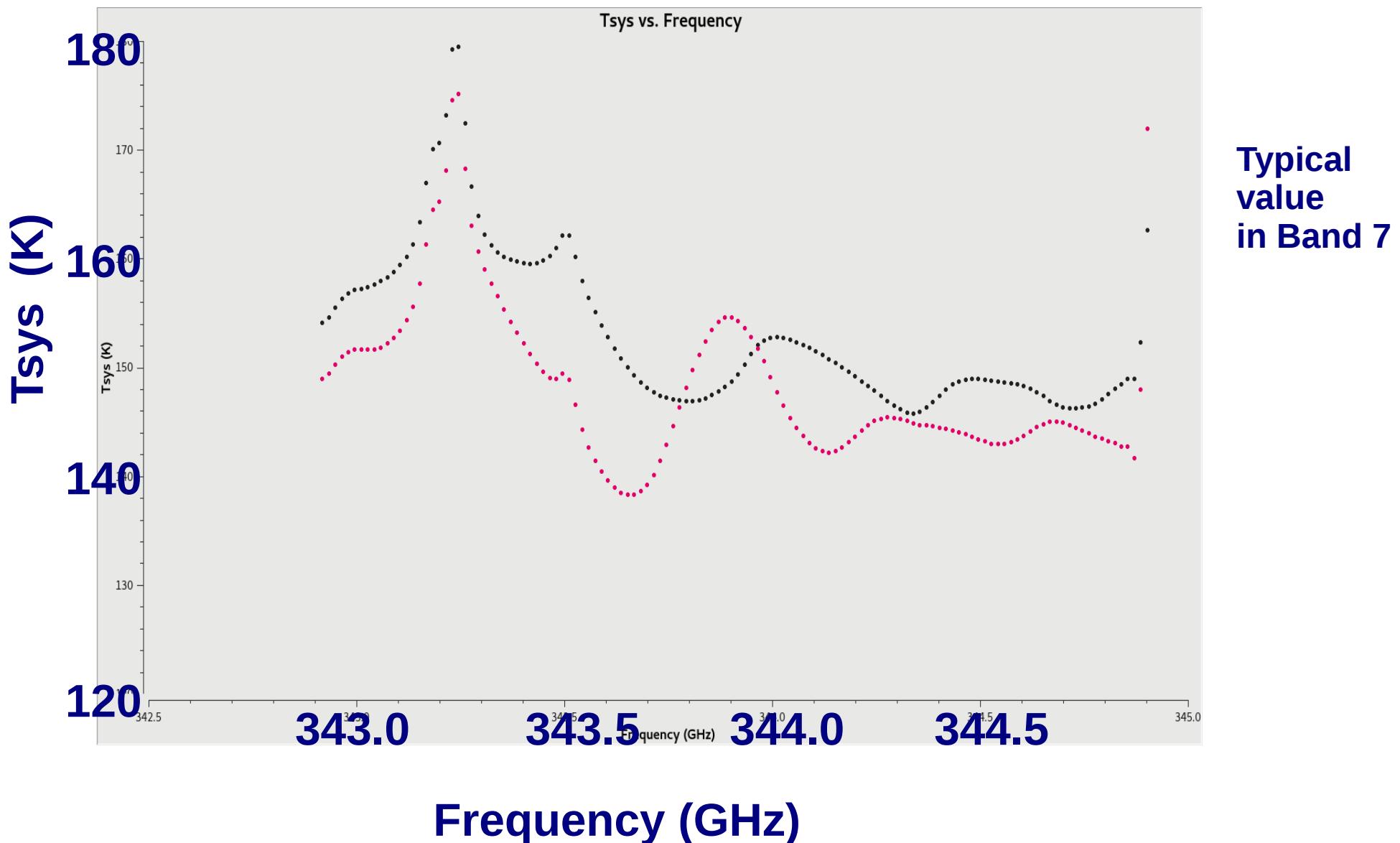
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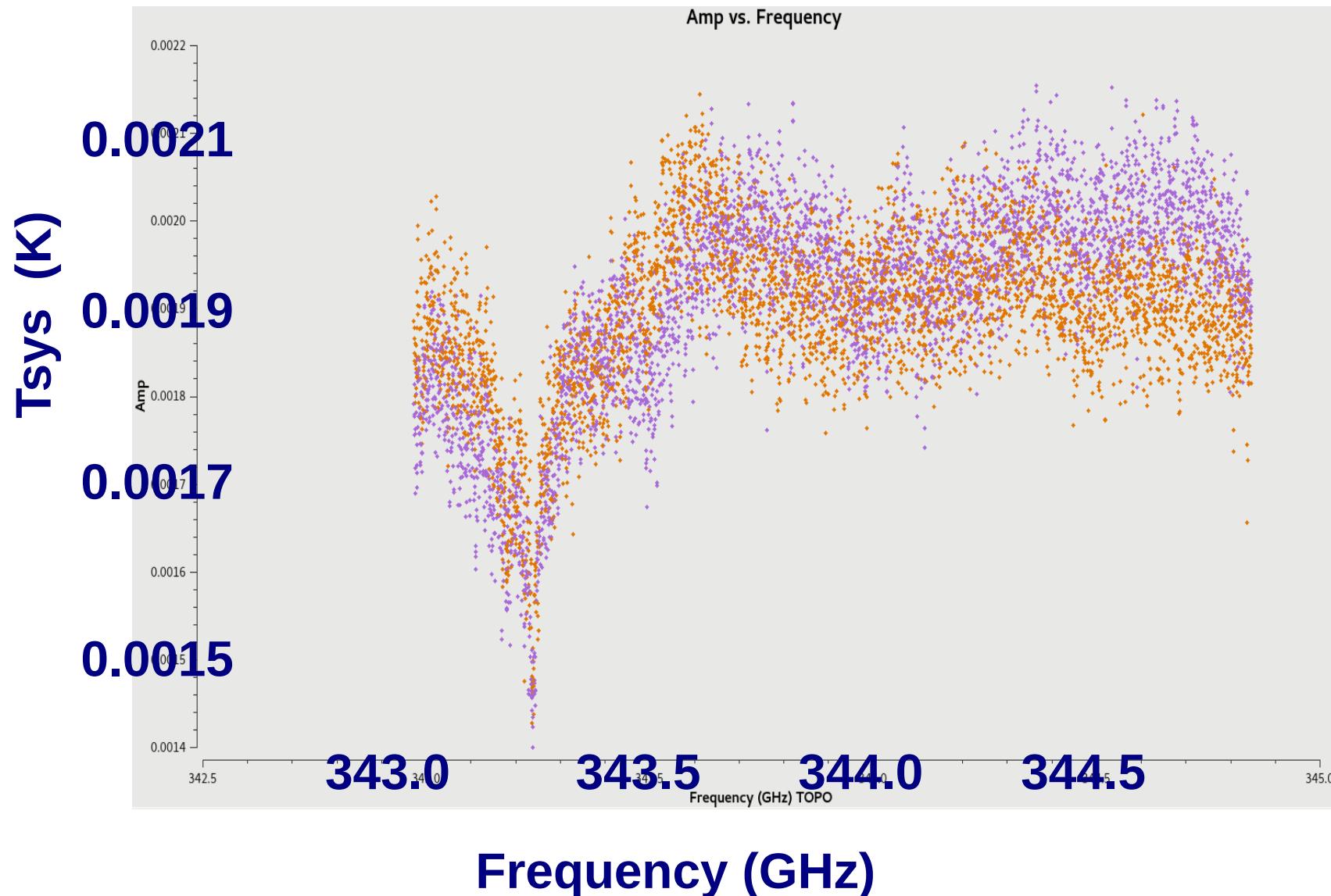
Antenna DV07: in color different corr



Antenna DV06: in color different corr

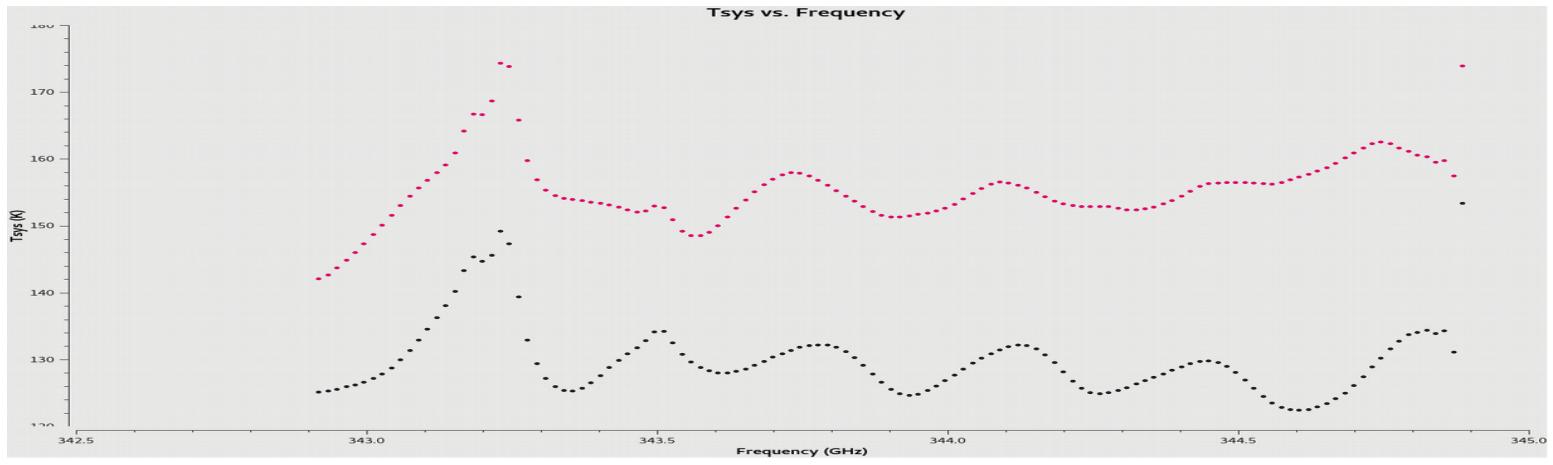


Baseline DV06&DV07: in color different corr

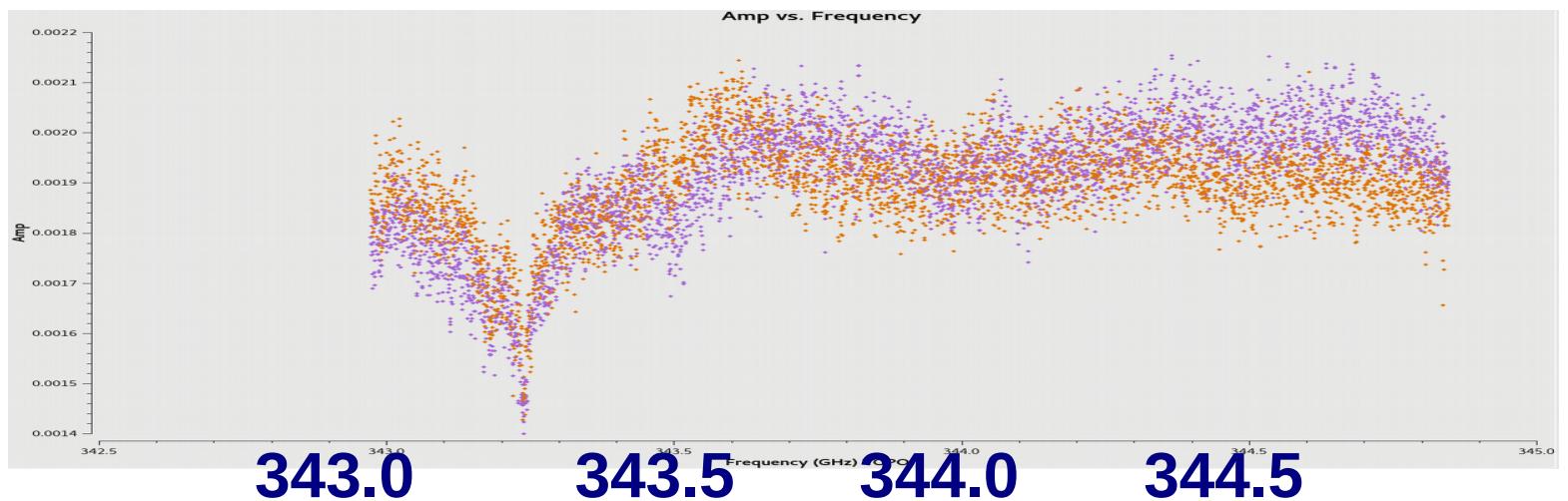


Baseline DV06&DV07: in color different corr

Tsys (K)



Amp vs. Frequency



Frequency (GHz)

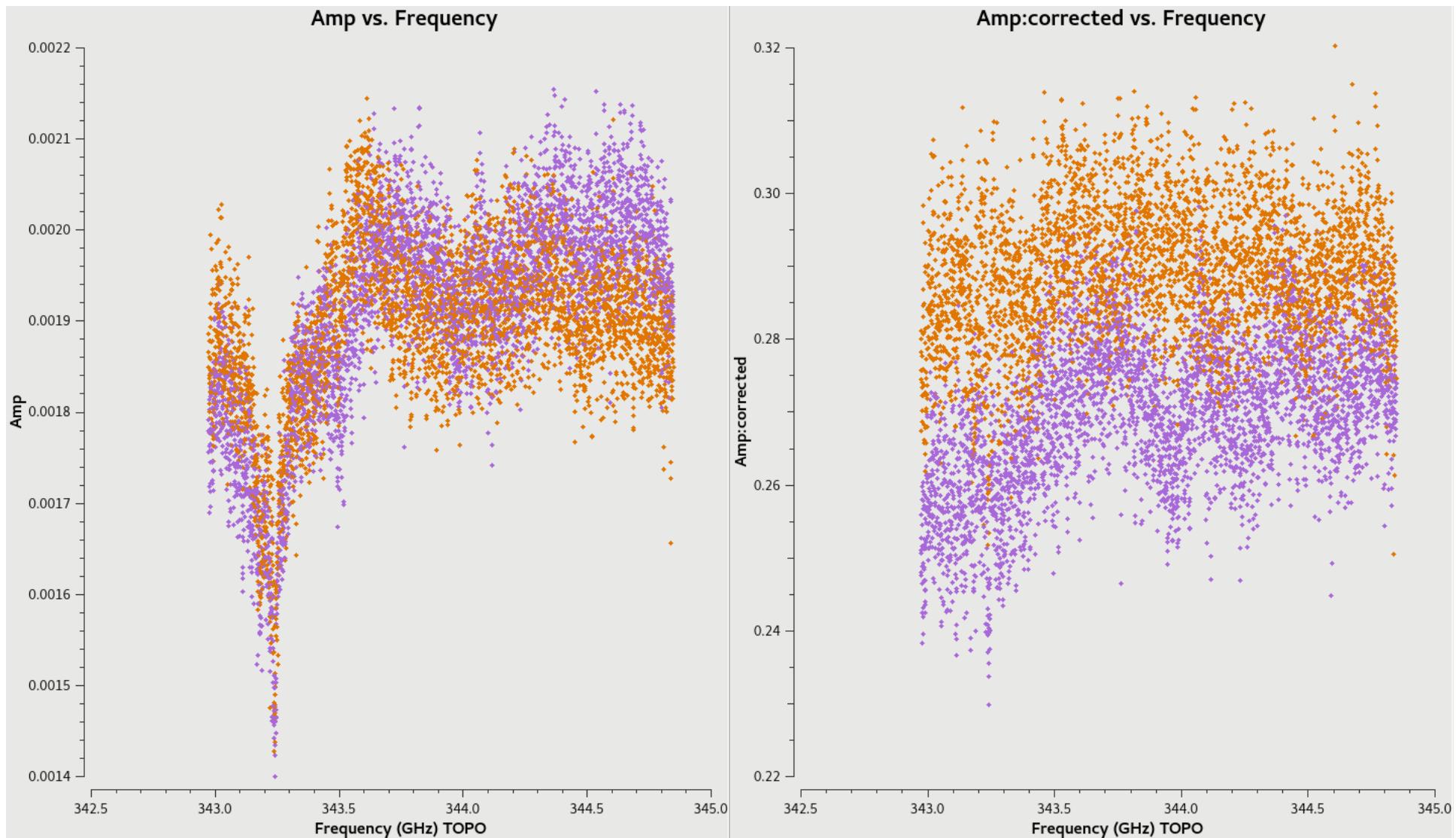
Tsys calibration

DV06 & DV07

Before

The attenuation
Is corrected

After



Tsys calibration DV06 & DV07

Before

K
↓

The data are now
Temperature in K

After

